High-Resolution Survey of the Visible Spectrum of NiF by Fourier Transform Spectroscopy

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High-resolution spectra of NiF have been recorded in emission by Fourier transform spectroscopy using a very stable discharge source. The 0–0 bands of 14 electronic transitions have been studied, 6 of them for the first time. This work confirms the presence of 5 low-lying spin components $X^2\Pi_{3/2}$, $[0.25]^2\Sigma^+$, $[0.83]A^2\Delta_{5/2}$, $[1.5]B^2\Sigma^+$, and $[2.2]A^2\Delta_{3/2}$ as known from previous laser-induced fluorescence experiments. Eight electronic states are now identified in the 18 000–24 000 cm⁻¹ range above the ground $X^2\Pi_{3/2}$ state. Electronic assignments for these excited states are not always obvious because of violations of the selection rules and unusual fine structure parameters. We think that some of the upper states are spin components of quartet states. In such a congested spectrum, high-resolution spectra are best analyzed in conjunction with an energy level diagram constructed mainly by dispersed low resolution laser-induced fluorescence.

I. INTRODUCTION

Numerous papers have been devoted to the study of the electronic structure of NiF. The first studies were concerned with low-resolution (1-3) and high-resolution (4-10) emission spectra. They showed that several low-lying states are involved in the observed transitions, but the nature of these states remained undetermined for a long time. For example, in one study the symmetry of the upper and lower states was switched (4), although the analysis of the rotational structure was correct. Bai and Hilborn (11) performed the first low-resolution study of dispersed laser-induced fluorescence of some of the rotationally analyzed bands in the blue-violet spectral region. They determined the relative position of two low-lying states, which were later revealed to be the $[0.83]A^2\Delta_{5/2}$ spin-orbit component and the $[1.5]B^2\Sigma^+$ state. At that time these two states had been suggested as possible ground states of NiF.

Experimental progress provided new information. Highresolution spectra of bands observed in the yellow-green spectral region were recorded and analyzed along with low-resolution dispersed laser-induced fluorescence (6). Simultaneously Carette *et al.* (12) proposed a theoretical energy level diagram based on ligand field theory. These studies supplied the first identification of the $X^2\Pi_{3/2}$ ground state and provided a credible assignment of the doublet electronic states of NiF located in the first 2500 cm⁻¹ of the energy level

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diagram. Although the rotational and fine structure parameters of the $X^2\Pi_{3/2}$, [0.83] $A^2\Delta_{5/2}$, [1.5] $B^2\Sigma^+$, and [2.2] $A^2\Delta_{3/2}$ states were determined, the $X^2 \Pi_{1/2}$ has not been identified yet, although there is a low-lying state located at 251 cm⁻¹ above the $X^2\Pi_{3/2}$ state linked to several upper electronic states by dispersed laser-induced fluorescence experiments (7-9). The first analysis of a band involving this state was attempted by Dufour and Pinchemel (9), who studied the laser-induced fluorescence of a blue band located at 22 703 cm⁻¹. The $[22.9]^2\Pi_{3/2}$ upper state was well known (7) and the structure of this band has been interpreted as a $[22.9]^2 \Pi_{3/2}$ - $[0.25]^2 \Sigma^+$ transition rather than the expected ${}^{2}\Pi_{3/2} - {}^{2}\Pi_{1/2}$ transition. We note that numerous forbidden transitions are observed in the spectrum of NiF. The most striking point of the analysis was that the spin-rotation parameter of the lower state, $\gamma = -0.952(1) \text{ cm}^{-1}$, was 2.5 times the value of the rotational constant, $B = 0.39009(5) \text{ cm}^{-1}$.

In a recent work Tanimoto *et al.* (13) published an experimental study of the rotational structure of the two lowest states of NiF $(X^2\Pi_{3/2} \text{ and } [0.25]^2\Sigma \text{ states})$ in the microwave spectral range. Following our analysis, Tanimoto *et al.* (13) described the electronic state located at 251 cm⁻¹ as a ${}^{2}\Sigma$ state. Their work confirms our previous analysis (9) and they derived a spin–rotation constant $\gamma = -0.959722(2) \text{ cm}^{-1}$ and a rotational parameter $B = 0.39001617(4) \text{ cm}^{-1}$. Carette *et al.* (12) showed that the first excited electronic state of NiF is a mixture of two states $[0.67\ {}^{2}\Pi_{1/2} + 0.33\ {}^{2}\Sigma]$. In addition, the rotational constants of the $X^2\Pi_{3/2}$ state ($B \approx 0.3886 \text{ cm}^{-1}$) and $[0.25]^2\Sigma$ states ($B \approx$ 0.3900 cm^{-1}) are significantly different although the rotational parameters of the two spin–orbit components of an electronic state are generally quite similar as observed, for example, for the $A^2\Delta_i$ state. As a consequence the description as a ${}^{2}\Sigma$ or



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as a ${}^{2}\Pi_{1/2}$ state is not appropriate and should be replaced by a $[0.25]\Omega = 1/2$ labeling because of the Hund's case (*c*) behavior. However, for sake of clarity we will keep the $[0.25]^{2}\Sigma$ labeling in this paper. The two spin–orbit components $[0.83]A^{2}\Delta_{5/2}$ and $[2.2]A^{2}\Delta_{3/2}$ of the $A^{2}\Delta_{i}$ state are also well known thanks to the analyses of bands recorded by high-resolution laser-excitation spectroscopy (*6*, 7), which provides an accurate determination of the wavenumbers of the lines. The $[1.5]B^{2}\Sigma^{+}$ state, however, is involved in transitions recorded at moderate resolution either with a grating spectrograph (5) or by dispersed laser-induced fluorescence using a grating spectrometer (8).

In Refs. (4-9), five upper electronic states have been identified and studied in several transitions involving the lower electronic states. A second set of transitions has also been observed (10)between a common upper state and five lower electronic components, which were not known.

Very recently Chen *et al.* (14) developed a molecular beam apparatus to study NiF by pulsed-dye laser excitation spectroscopy. The low temperature of the source (less than 100 K) selected only transitions involving the $X^2\Pi_{3/2}$ and the $[0.25]^2\Sigma^+$ states. In a second paper (15), Jin *et al.* analyzed eight transitions and they identified two new upper electronic states located at 20 282 cm⁻¹ and 20 407 cm⁻¹ in the energy level diagram. A third paper devoted to NiF has been recently published by Jin *et al.* (16), who studied most of the bands that we present in our paper. In the discussion section we compare our results with those of Jin *et al.* (16).

Up to now the most common technique used to study NiF has been emission spectroscopy using a hollow cathode (4, 5) or a microwave discharge (6) with a grating spectrometer utilized to disperse the light. Some spectra have been recorded by excitation spectroscopy in a Broida oven (7) using a single-mode dye laser. In addition, dispersed laser-induced fluorescence experiments with a grating spectrometer have been successful (8-10)and led to the measurement of the very large spin rotation parameter in the $[0.25]^2 \Sigma^+$ electronic state. These diverse experiments provided several sets of constants for the same electronic state, and as already noted, the energy level diagrams associated with the different experiments were not always consistent. Consequently it was of interest to unify this patchwork of data. For this purpose we recorded the spectrum of NiF over the entire visible spectral range by using a high-resolution Fourier transform spectrometer and a very stable emission source. Under these experimental conditions we have reanalyzed most of the already known transitions. In addition, six new electronic transitions have been studied and a new electronic state $(20\,106\,\mathrm{cm}^{-1})$ identified. For all transitions in which the $X^2 \Pi_{3/2}$ and the $[0.25]^2 \Sigma^+$ states are involved, the experimental microwave data published by Tanimoto et al. (13) have been added to the fits.

II. EXPERIMENTAL DETAILS

The emission spectra were recorded with the Bruker IFS 120HR Fourier transform spectrometer at the University of

Waterloo (17). The spectrometer was equipped with a visible quartz beamsplitter and a pair of red and blue pass filters (450-nm red pass and 600-nm blue pass filters from CORION) were used to limit the spectral interval and to block the internal He-Ne laser to improve the signal-to-noise ratio. In total 285 scans at the resolution of 0.05 cm⁻¹ were accumulated for the spectral region between 450 and 600 nm. Because the spectrometer was not evacuated during the measurement, the recorded spectral line positions have to be converted to vacuum wavenumbers (17). Electronically excited NiF molecules were generated by a D.C. discharge (3000 V, 0.3 A) in a 1-meterlong alumina tube (5 cm diameter), whose central part (50 cm) was externally heated to 930° C. A few grams of NiF₂ powder was introduced in the middle of the tube and a slow flow of argon maintained a pressure of 5 Torr. An intense blue-white discharge, whose stability was quite sensitive to the partial pressure of NiF₂, was observed. A 50-cm focal length lens focused the emitted light on the entrance aperture of the spectrometer. After the air-vacuum correction (17), the calibration was carried out by comparison of standard Ar I atomic lines (18) with the lines observed in our experiments. The calibration factor was 1.000001170 (11).

One of the previously studied bands (at 17759 cm^{-1}) has been recorded by laser excitation spectroscopy (7) in Lille. This band was too weak to be identified in the emission spectra, but was easily observed by laser excitation. Note that the energy level diagram (Fig. 1) has been drawn on the basis of low-resolution of dispersed laser-induced fluorescence. No contradiction has been observed between these laser experiments and the rotational analysis of the bands described hereafter.

III. DESCRIPTION OF THE BANDS

All of the bands have been recorded in a short experimental campaign using the same experimental setup. Nevertheless the quality of the spectra depends on several factors: some bands are seriously overlapped, a few forbidden transitions are very weak, and the presence of strong atomic lines induces noise in some parts of the spectra.

We studied the bands one by one and when all the bands sharing the same upper electronic state were analyzed, they were gathered together and fitted simultaneously. Lines from bands linked to the two lowest states have been combined with microwave data (13), in order to increase the reliability of the derived parameters.

The energy level expression for the two low-lying ${}^{2}\Sigma^{+}$ states (251 cm⁻¹ and 1574 cm⁻¹) was taken from Ref. (19). All the other spin–orbit components were fitted with the energy level expression

$$T = T_v + B_v J(J+1) - D_v J^2 (J+1)^2 \pm \frac{1}{2} [p + p_J J(J+1)] \left(J + \frac{1}{2}\right).$$
[1]



FIG. 1. Energy level diagram of NiF. Analyzed transitions are in boldface; the others are observed by laser-induced dispersed fluorescence. The state marked with a superscript "a" is from Ref. (16).

For one state (23 498 cm⁻¹) it has been necessary to introduce a phenomenological parameter $\pm a$ because the *e* and *f* levels have slightly different band origins. We note that Tanimoto *et al.* (13) did not use exactly the same polynomial expression to account for the rotational energy levels of the $X^2\Pi_{3/2}$ state, and this contributes to the differences between the two sets of parameters for the ground state.

We will now describe the studied bands. For the sake of clarity the states will be discussed in order of increasing energy of the upper electronic states as they appear in the energy level diagram (Fig. 1). We will consider hereafter that the nature of the 5 lower electronic components lying in the first 2500 cm⁻¹ in the energy level diagram is firmly established from previous work, and comments are made only when a problem occurs. The energy level diagram (Fig. 1) includes all the observed transitions either analyzed in this paper or observed at low resolution by recording dispersed laser-induced fluorescence. All the experimental data for the studied bands (v' = 0 - v'' = 0) are collected in Table 1 and the derived parameters are summarized in Table 2.

1. The $[18.1]^2 \Delta_{5/2}$ State

The $[18.1]^2 \Delta_{5/2} - [0.83] A^2 \Delta_{5/2}$ transition ($\nu_0 = 17277.897 \text{ cm}^{-1}$) is a very intense $\Delta \Omega = 0$ transition, and it is possible to follow the *P* and *R* branches up to J = 82.5. Splittings in the *P* and *R* branches are observed for $J \ge 60.5$. From a comparison with another transition (19154 cm⁻¹), which involves the same $[0.83]A^2\Delta_{5/2}$ lower state, it can be shown that the splitting is mainly in the upper state. This splitting

TABLE 1 Observed Line Positions (in $cm^{-1})$ for All the $(v^\prime=0-v^{\prime\prime}=0)$ Studied Transitions of the ^{58}NiF Isotopomer

	$[18.1]^2 \Delta_{5/2} - [0.83] A^2 \Delta_{5/2} \qquad [18.1]^2 \Delta_{5/2} - X^2 \Pi_{3/2}$							
J	R	Р	Q_{ef}	Q_{fe}	R _{ee}	R_{ff}	P _{ee}	P_{ff}
2.5	17280.463							
3.5	17281.130	17275.084	18107.251	18107.251				
4.5	17281.829	17274.244	18107.148	18107.148	18111.331	18111.331		
5.5	17282.478	17273.387	18107.062	18107.062	18112.012	18112.012		
6.5	17283.118	17272.512	18106.959	18106.959	18112.624	18112.624		
7.5	17283.743	17271.609	18106.810	18106.810	18113.280	18113.280		
8.5	17284.336	17270.704	18106.669	18106.669	18113.899	18113.899		
9.5	17284.916	17269.756	18106.502	18106.502	18114.471	18114.471		
10.5	17285.478	17268.805	18106.353	18106.353	18115.062	18115.062		
11.5	17286.023	17267.830	18106.128	18106.128	18115.661	18115.602		
12.5	17286.542	17266.838	18105.906	18105.906	18116.188	18116.125		
13.5	17287.054	17265.830	18105.673			18116.656		18095.399
14.5	17287.539	17264.802	18105.392	18105.475	18117.229	18117.173	18094.501	18094.412
15.5	17288.005	17263.754	18105.117	18105.220		18117.643	18093.477	18093.377
16.5	17288.457	17262.687		18104.950		18118.097	18092.441	
17.5	17288.882	17261.604	18104.521	18104.645	18118.655	18118.533		18091.240
18.5	17289.300	17260.502	18104.199	18104.359	18119.122	18118.971	18090.338	18090.181
19.5	17289.700	17259.384	18103.861	18104.036	18119.559	18119.378	18089.289	18089.084
20.5	17290.061	17258.250	18103.487	18103.696	18119.959	18119.766	18088.166	18087.931
21.5	17290.410	17257.084	18103.086	18103.347		18120.121	18087.065	18086.814
22.5	17290.749	17255.913	18102.721	18102.984		18120.497	18085.935	18085.655
23.5	17291.069	17254.723	18102.276	18102.603	18121.160	18120.842		18084.465
24.5	17291.362	17253.517	18101.826	18102.228		18121.159	18083.659	18083.319
25.5	17291.648	17252.282	18101.378	18101.826	18121.865			18082.071
26.5	17291.909	17251.026	18100.923	18101.378	18122.210	18121.741	18081.318	18080.841
27.5	17292.157	17249.760	18100.428	18100.923	18122.507	18122.003	18080.130	18079.606
28.5	17292.379	17248.480	18099.918	18100.487		18122.210	18078.904	18078.350
29.5	17292.586	17247.182	18099.394	18100.006	18123.091	18122.507	18077.725	18077.050
30.5	17292.772	17245.863	18098.844	18099.546	18123.352	18122.651	18076.446	18075.777
31.5	17292.938	17244.526	18098.289	18099.032	18123.631	18122.858	18075.218	
32.5	17293.079	17243.171	18097.697	18098.540	18123.847	18123.023	18073.951	
33.5	17293.209	17241.802	18097.091	18098.010	18124.092	18123.173	18072.681	18071.753
34.5	17293.322	17240.408	18096.477	18097.467			18071.377	18070.377
35.5	17293.430	17239.002	18095.814	18096.936	18124.492		18070.102	18069.012
36.5		17237.578	18095.212	18096.362			18068.764	
37.5		17236.140	18094.500	18095.814	18124.872		18067.447	18066.187
38.5		17234.652	18093.834	18095.212	18125.051			18064.721
39.5		17233.196	18093.113	18094.630	18125.197		18064.789	18063.271
40.5		17231.695	18092.381	18093.987	18125.337		18063.411	18061.796
41.5		17230.153	18091.637	18093.377	18125.442		18062.024	18060.305
42.5		17228.632	18090.888	18092.745	18125.560		18060.636	
43.5		17227.083	18090.090	18092.095	18125.668		18059.282	18057.301
44.5		17225.520	18089.290	18091.433	18125.744			18055.725
45.5		17223.941	18088.479	18090.777			18056.447	18054.187
46.5		17222.341	18087.641	18090.090			18055.050	18052.594
47.5		17220.728	18086.815	18089.388				18051.003
48.5		17219.091	18085.934	18088.698				
49.5		17217.441	18085.036	18087.998				
50.5		17215.776	18084.126	18087.264				18046.108
51.5		17214.089	18083.217					18044.430
52.5		17212.390	18082.301	18085.795				
53.5		17210.672	18081.317	18085.036				
54.5		17208.938		18084.276				
55.5		17207.186						
56.5		17205.420		18082.742				
57.5		17203.629						
58.5		17201.837						

TABLE 1—Continued

	$[18.1]^2 \Delta_{5/2} - [0.83] A^2 \Delta_{5/2}$								
J	R _{ee}	R_{ff}	P _{ee}	P_{ff}					
59.5			17200.023	17200.023					
60.5			17198.198	17198.198					
61.5			17196.333	17196.333					
62.5	17289.057	17289.000	17194.462	17194.462					
63.5	17288.646	17288.593	17192.580	17192.580					
64.5	17288.222	17288.147	17190.697	17190.697					
65.5	17287.774	17287.702	17188.799	17188.799					
66.5	17287.315	17287.248	17186.883	17186.820					
67.5	17286.828	17286.761	17184.959	17184.900					
68.5	17286.337	17286.259	17183.000	17182.928					
69.5	17285.822	17285.743	17181.022	17180.945					
70.5	17285.302	17285.213	17179.025	17178.953					
71.5	17284.751	17284.659	17177.038	17176.955					
72.5	17284.220	17284.104	17175.025	17174.958					
73.5	17283.638	17283.506	17172.976	17172.878					
74.5	17283.024	17282.906	17170.931	18170.829					
75.5	17282.415	17282.288	17168.873	18168.772					
76.5	17281.768	17281.657	17166.795	18166.692					
77.5	17281.129	17281.003	17164.707	18164.595					
78.5	17280.461	17280.326	17162.608	18162.482					
79.5	17279.778	17279.647	17160.501	18160.382					
80.5	17279.076	17278.937	17158.346	18158.213					
81.5	17278.392	17278.227	17156.196	18156.069					
82.5			17154.075	18153.886					
83.5			17151.875	18151.695					

 $[19.7]\Omega = 3/2 - [0.25]^2 \Sigma$

 $[19.7]\Omega = 3/2 - [0.83]^2 \Delta_{5/2}$

J	Pee	Q_{fe}	R_{ff}	P_{ff}	Q_{ef}	R _{ee}	Q
1.5						19470.723	
2.5						19472.316	
3.5		19470.428				19473.881	
4.5		19471.239	19466.714		19462.552	19475.412	
5.5		19471.993	19466.465		19461.558	19476.923	
6.5		19472.726	19466.238		19460.544	19478.412	18889.045
7.5		19473.459	19465.977		19459.55	19479.861	18888.916
8.5	19467.65	19474.116	19465.681	19452.03	19458.485	19481.307	18888.793
9.5	19467.599	19474.804	19465.385	19450.198	19457.408	19482.737	18888.585
10.5	19467.486	19475.438	19465.061	19448.356			18888.420
11.5	19467.355	19476.067	19464.71	19446.507	19455.215	19485.565	18888.198
12.5	19467.191	19476.687	19464.343	19444.619		19486.919	18887.965
13.5	19466.992	19477.258	19463.957	19442.742	19452.936	19488.282	18887.757
14.5	19466.816	19477.819	19463.546	19440.775	19451.779	19489.574	18887.486
15.5	19466.584	19478.358	19463.128	19438.853	19450.594	19490.875	18887.207
16.5	19466.369	19478.887	19462.667	19436.903	19449.393	19492.144	18886.919
17.5	19466.107	19479.376	19462.201	19434.907	19448.179	19493.4	18886.605
18.5	19465.827	19479.861	19461.732	19432.918	19446.943	19494.645	18886.260
19.5	19465.507	19480.327	19461.258	19430.888	19445.662	19495.834	18885.892
20.5	19465.18	19480.748	19460.714	19428.864	19444.381	19497.034	18885.543
21.5	19464.836		19460.15	19426.801	19443.066	19498.195	18885.181
22.5	19464.47	19481.554		19424.713	19441.75	19499.35	18884.763
23.5	19464.075	19481.921	19459.025	19422.625	19440.424	19500.449	18884.331
24.5	19463.661	19482.274	19458.392	19420.507	19439.057	19501.543	18883.923

TABLE 1—Continued

			$[19.7]\Omega = 3/2 - [0.83]^2 \Delta_{5/2}$				
J	Pee	Q_{fe}	R_{ff}	P_{ff}	Q_{ef}	R _{ee}	Q
25.5	19463.227	19482.600	19457.791	19418.376	19437.68	19502.631	18883.445
26.5	19462.769	19482.894	19457.151	19416.245	19436.296	19503.702	18882.947
27.5	19462.284	19483.166	19456.485	19414.070	19434.873	19504.711	18882.491
28.5	19461.807	19483.428	19455.827	19411.877	19433.416	19505.704	18881.939
29.5	19461.258	19483.659	19455.141	19409.658	19431.959	19506.685	18881.406
30.5	19460.714	19483.886	19454.410	19407.454	19430.491	19507.661	18880.882
31.5	19460.150	19484.076	19453.699	19405.205	19428.994	19508.597	18880.303
32.5	19459.550	19484.252	19452.936	19402.944	19427.464	19509.511	18879.731
33.5	19458.946	19484.415	19452.140	19400.677	19425.940	19510.42	18879.136
34.5	19458.311	19484.515	19451.383	19398.385	19424.391	19511.261	18878.488
35.5	19457.649		19450.542	19396.068	19422.830	19512.108	18877.876
36.5	19456.966		19449.727	19393.745	19421.244	19512.921	18877.211
37.5	19456.269		19448.865	19391.397	19419.633	19513.751	18876.548
38.5	19455.555		19448.015	19389.036	19418.004	19514.508	18875.848
39.5	19454.807		19447.153	19386.658	19416.375	19515.270	18875.161
40.5	19454.047		19446.240	19384.26	19414.714	19515.999	18874.421
41.5	19453.253		19445.328	19381.857	19413.029	19516.706	18873.660
42.5	19452.437		19444.381	19379.422	19411.338	19517.362	18872.900
43.5	19451.598		19443.451	19376.975	19409.622	19518.029	18872.151
44.5	19450.753		19442.482	19374.516	19407.894	19518.669	18871.323
45.5	19449.852		19441.512	19372.038	19406.141	19519.274	18870.514
46.5	19448.945		19440.492	19369.541	19404.381		18869.668
47.5	19448.015	19484.130		19367.032	19402.591	19520.429	18868.827
48.5	19447.068	19483.949	19438.421	19364.512	19400.801	19520.973	18867.962
49.5	19446.099	19483.759	19437.389	19361.967	19398.979	19521.461	18867.082
50.5	19445.101	19483.528	19436.296	19359.424	19397.152		
51.5	19444.080	19483.249			19395.299		18865.240
52.5	19443.066	19483.012			19393.435		18864.276
53.5	19441.983	19482.722			19391.552		18863.337
54.5	19440.883	19482.405					18862.386
55.5	19439.783						18861.356
56.5	19438.649						
57.5	19437.487						
58.5	19436.295						
59.5	19435.117						
60.5	19433.898						
61.5	19432.651						
62.5	19431.370						
63.5	19430.077						
64.5	19428.771						
65.5	19427.464						
66.5	19426.057						
67.5	19424.713						
08.5	19423.288						
70.5	19421.837						
70.5	19420.420						
11.J	10/17 /20						
12.3	1941/.428						
745	19413.904						
74.J 75 5	19414.301						
75.5 76.5	19412.794						
10.5	19411.208						

TABLE 1—Continued

		$[19.7]\Omega = 3$	$3/2 - X^2 \Pi_{3/2}$		$[19.7]\Omega = 3/2 - [2.2]A^2 \Delta_{3/2}$			
J	Pee	P_{ff}	R _{ee}	R _{ff}	Pee	P_{ff}	R _{ee}	R_{ff}
2.5	19717.012	19717.012	19721.564	19721.564				
3.5	19716.181	19716.181	19722.266	19722.266				
4.5	19715.358	19715.358	19722.966	19722.966				
5.5	19714.507	19714.507	19723.624	19723.624			17500.025	17500.025
6.5	19713.644	19713.644	19724.274	19724.274			17500.677	17500.677
7.5	19712.758	19712.758	19724.907	19724.907	17489.144	17489.144	17501.264	17501.264
8.5	19711.849	19711.849	19725.527	19725.527	17488.231	17488.231	17501.913	17501.913
9.5	19710.946	19710.946	19726.129	19726.129	17487.334	17487.334		
10.5	19710.016	19710.016	19726.726	19726.726	17486.351	17486.351	17503.057	17503.057
11.5	19709.065	19709.065	19727.283	19727.283	17485.423	17485.423	17503.656	17503.656
12.5	19708.100	19708.100	19727.826	19727.826	17484.420	17484.420	17504.163	17504.163
13.5	19707.106	19707.106	19728.363	19728.363	17483.419	17483.419	17504.651	17504.651
14.5	19706.144	19706.080	19728.928	19728.878	17482.396	17482.396	17505.164	17505.164
15.5	19705.163	19705.077	19729.444	19729.365	17481.390	17481.390	17505.667	17505.667
16.5	19704.149	19704.046	19729.943	19729.833	17480.326	17480.326	17506.160	17506.160
17.5	19703.119	19702.990	19730.423	19730.306	17479.280	17479.280	17506.586	17506.586
18.5	19702.069	19701.924	19730.895	19730.744	17478.200	17478.200	17507.028	17507.028
19.5	19701.016	19700.844	19731.339	19731.172	17477.110	17477.067	17507.403	17507.403
20.5	19699.931	19699.737	19731.769	19731.575	17475.999	17475.934	17507.854	17507.854
21.5	19698.846	19698.618	19732.194	19731.962	17474.868	17474.816	17508.218	17508.218
22.5	19697.770	19697.484	19/32.606	19/32.354	1/4/3.662	17473.662	17508.556	1/508.556
23.5	19696.615	19696.327	19/33.01/	19/32./11	17472.553	17472.504	17508.872	17508.872
24.5	19695.476	19695.151	19/33.370	19/33.01/	1/4/1.366	17471.300	17509.198	17509.198
25.5 26.5	19694.334	19693.956	10724.007	19/33.370	1/4/0.166	17470.092		
20.5	19693.170	19692.750	19/34.08/	19/33.083	17408.921	1/408.8//	17510.092	17510.092
21.5	19091.994	19091.323	10724 710	19/55.955	17407.719	17407.041	17510.062	17510.082
20.5	19090.800	19090.292	19/34./19	19734.223	17400.445	17400.387	17510.525	17510.525
29.5	19089.000	19089.027	19735.045	19/34.434	17403.177	17403.122	17510.341	17510.341
30.5	19687 158	19686 461	19735.509	19734.010	17403.884	17403.884	17511.032	17511.032
32.5	19685 917	19685 153	19735 867	10735 133	17461 208	17461 208	17511.052	17511.052
33.5	19684 661	19683 830	19736 100	19735 309	17459 895	17459 878	17511 347	17511.175
34 5	19683 401	19682 494	19736 349	19735 447	17458 523	17458 523	17511.547	17511.547
35.5	19682.117	19681.129	19736.578	19735.595	17457.157	17457.157	17511.625	17511 625
36.5	19680.826	1,001112)	19736.791	19735.726	17455.773	17455.773	17511.753	17511.753
37.5	19679.523	19678.364	19736.977	19735.867	17454.363	17454.363		
38.5	19678.204	19676.947	19737.151		17452.944	17452.944		
39.5	19676.889		19737.311		17451.502	17451.502		
40.5	19675.534	19674.088	19737.505		17450.047	17450.047		
41.5	19674.183	19672.624	19737.641		17448.573	17448.573		
42.5	19672.812	19671.132	19737.770		17447.086	17447.086		
43.5	19671.450	19669.652	19737.889		17445.583	17445.583		
44.5	19670.063	19668.144	19737.994		17444.061	17444.061		
45.5	19668.669	19666.619	19738.080		17442.525	17442.525		
46.5	19667.270	19665.083	19738.173		17440.970	17440.970		
47.5	19665.833		19738.238		17439.409	17439.409		
48.5	19664.418	19661.957	19738.295		17437.834	17437.847		
49.5	19662.980	19660.348			17436.206	17436.261		
50.5	19661.517	19658.756			17434.562	17434.641		
51.5	19660.074	19657.138			17432.930	17433.009		
52.5	19658.611	19655.510			17431.271	17431.375		
53.5	19657.138	19653.870			17429.612	17429.718		
54.5	19655.650	19652.182			17427.924	17428.059		
55.5	19654.128	19650.511			17426.228	17426.386		
56.5	19652.634	19648.836			17424.518	17424.689		
57.5	19651.111	19647.157			17422.795	17422.990		
58.5	19649.603	19645.424			17421.057	17421.270		
59.5	19648.063	19643.674			17419.300	17419.551		
60.5		19641.877			17417.527	17417.812		
61.5								
62 5	19643 419							

	[19	$.9]\Omega = 5/2 - [0.83]A^2 \Delta$	5/2		$[19.9]\Omega = 5/2 - [0.83]A^2 \Delta_{5/2}$		5/2
J	Р	R	Q	J	Р	R	Q
2.5		19156.420		60.5	19075.497		
3.5	19151.046	19157.120		61.5	19073.696		
4.5	19150.215	19157.803	19153.618	62.5	19071.880		
5.5	19149.356	19158.456	19153.524	63.5	19070.052		
6.5	19148.483	19159.100	19153.402	64.5	19068.207		
7.5	19147.591	19159.728	19153.280	65.5	19066.349		
8.5	19146.676	19160.329	19153.137	66.5	19064.474		
9.5	19145.752	19160.920	19152.947	67.5	19062.584		
10.5	19144.798	19161.487	19152.754	68.5	19060.681		
11.5	19143.828	19162.040	19152.540	69.5	19058.761		
12.5	19142.854	19162.573	19152.339	70.5	19056.831		
13.5	19141.847	19163.086	19152.085	71.5	19054.892		
14.5	19140.820	19163.587	19151.843	72.5	19052.923		
15.5	19139.790	19164.066	19151.554	73.5	19050.950		
16.5	19138.741	19164.529	19151.262	74.5	19048.959		
17.5	19137.673	19164.968		75.5	19046.968		
18.5	19136.583	19165.397		76.5	19044.942		
19.5	19135.473	19165.799		77.5	19042.918		
20.5	19134.344	19166.184		78.5	19040.884		
21.5	19133.199	19166.547		79.5	19038.812		
22.5	19132.036	19166.900		80.5	19036.735		
23.5	19130.856	19167.237		81.5	19034.653		
24.5	19129.660	19167.551		82.5	19032.591		
25.5	19128.447	19167.843		83.5	19030.476		
26.5	19127.222	19168.146		84.5	19028.358		
27.5	19125.978	19168.394		85.5	19026.224		
28.5	19124.715	19168.647					
29.5	19123.436	19168.876					
30.5	19122.137	19169.092					
31.5	19120.822	19169.284					
32.5	19119.492	19169.455					
33.5	19118.143	19169.603					
34.5	19116.779	19169.742					
35.5	19115.397						
36.5	19114.001						
37.5	19112.591						
38.5							
39.5 40.5							
40.5							
41.5	10105 215						
42.5	19103.213						
43.5	19103.704						
44.5	19102.170						
46.5	19099 071						
47.5	19097 494						
48.5	19095 898						
49.5	19094 287						
50.5	19092.657						
51.5	19091.007						
52.5	19089.345						
53.5	19087.661						
54.5	19085.979						
55.5	19084.270						
56.5	19082.544						
57.5	19080.803						
58.5	19079.051						
59.5	19077.280						

TABLE 1—Continued

J $Q_{1'}$ $Q_{1'}$ $P_{}$ P_{l} P_{l} R_{l} R_{11} 1.5 1998.191 1998.5118 1998.5118 1998.5118 1998.5117 1998.617 1998.617 1998.617 1998.6167 1998.6167 1998.6167 1998.6167 1998.6167 1998.617 1998.6167 1998.617 1998.6167 1998.617 1998.6167 1998.617 1998.6167 1998.617 1998.6167 1998.617 1998.617 1998.617 1998.617 1998.617 1998.617 1998.617 1998.617 1998.617 1998.617 1998.617 1998.617 1998.617 1998.617 1998.617 1998.617 1992.659 1997.441 1992.250 1922.659 1997.636 1997.636 1997.636 1997.636 1999.536 1995.636 1999.536 1995.636 1999.536 1997.636 1999.536 1997.636 1999.536 1997.636 1999.536 1997.536 1997.536 1999.536 1999.536 1999.536 1999.536 1999.536 1999.536 1999.536 1999.536							
1.5 1985.118 1995.105 1995.618 1995.105 2.5 1996.613 1998.126 1998.72957 1998.7957 1998.7957 5.5 1998.1126 1998.7957 1998.7957 1998.7957 1998.7957 1998.7957 5.5 1998.2917 1998.2917 1998.2917 1998.2917 1998.2917 1998.2917 1998.2917 1998.2917 1998.2917 1998.2917 1998.2917 1998.2917 1998.2917 1998.2917 1998.2917 1998.2917 1998.2917 1998.2917 1999.297 1998.291 1997.242 1997.2411 1999.2707 1999.297 1.5 1998.1945 1998.1945 1997.1421 1992.2707 1999.297 1.5.5 1998.1947 1998.2946 1997.4121 1999.297 1999.297 1.5.5 1998.1947 1998.2946 1999.297 1997.4121 1999.297 1999.297 1.5.5 1998.1947 1998.2946 1999.297 1997.2482 1997.4121 1999.297 1.5.5 1998.1947 1998.2946 1999.297 1999.297 1999.297 1999.297 1999.297 1999.2	J	Qef	Q_{fe}	P _{ee}	P_{ff}	R _{ee}	R_{ff}
2.5 1988.126 1988.126 1988.6147 1998.6147 1998.6147 1998.736 4.5 1998.103 1998.217 1998.2917 1999.2917	1.5					19985.1948	19985.195
3.5 19983.126 19987.2957 19987.2957 19987.2957 19987.2957 19987.2957 19987.2957 19987.2957 19987.2957 19987.2957 19987.2957 19987.2957 19987.2957 19987.2957 19987.2957 19987.2957 19987.2957 19987.2957 19987.2561 19987.2561 19987.257 19987.257 19987.257 19987.257 19987.257 19987.257 19987.257 19987.257 19987.257 19987.257 19987.257 19987.257 19997.257 19997.257 19997.257 19997.257 19997.257 19997.257 19997.257 19997.257 19997.257 19997.257 19997.257 19997.257 19997.257 19997.256 19997.257 19997.257 19997.256 19997.256 19997.256 19997.257 19997.256 19997.257 19997.256 19997.257 19997.256 19997.257 19997.256 19997.257 19997.256 19997.257 19997.256 19997.257 19997.256 19997.257 19997.256 19997.257 19997.256 19997.257 19997.257 19997.257 19997.256 19997.257 <td>2.5</td> <td></td> <td></td> <td></td> <td></td> <td>19985.9118</td> <td>19985.912</td>	2.5					19985.9118	19985.912
4.5 19983.106 19983.107 19987.296 19987.296 5.5 19982.917 19982.917 19988.017 19988.017 5.5 19982.811 19982.816 19989.256 19989.257 19989.257 19989.257 19989.257 19989.257 19989.257 19989.257 19989.257 19989.257 19989.257 19989.257 19989.257 19989.258 19982.246 19981.278 19991.062 19991.062 19991.062 19991.062 19991.062 19991.072 19991.052 19991.052 19991.052 19991.052 19991.062 19991.062 19991.062 19991.062 19991.062 19991.076	3.5					19986.6147	19986.615
5.5 19982.043 19983.043 19982.047 19982.047 19982.047 19982.047 19982.047 19982.047 19982.047 19982.047 19982.047 19982.047 19982.047 19982.047 19982.047 19982.047 19982.047 19982.047 19982.047 19991.007 19991.007 19991.007 19991.007 19991.007 19991.007 19991.007 19991.007 19991.007 19991.007 19991.007 19991.007 19991.007 19991.017 19991.017 19991.017 19992.170	4.5	19983.126	19983.126			19987.2957	19987.296
6.5 19982.017 19982.017 19982.017 19982.017 19982.017 19982.01 19982.01 19982.01 19982.01 19982.01 19982.01 19982.01 19982.01 19982.01 19982.01 19982.01 19982.01 19982.01 19982.01 19982.01 19990.01 19990.01 19990.01 19990.01 19990.01 19990.01 19990.01 19990.01 19990.01 19990.01 19990.01 19990.01 19990.01 19990.01 19990.01 19990.01 19990.01 19990.01 19990.01 19992.070 19992	5.5	19983.043	19983.043			19987.9817	19987.982
7.5 19982.681 19982.691 19982.691 19982.691 19982.691 19982.791 19982.791 19982.791 19982.791 19982.791 19992.797 19990.4977 19990.477 19990.477 19990.477 19990.477 19990.477 19990.477 19990.477 19990.477 19990.477 19990.477 19990.477 19990.477 19990.477 19990.478	6.5	19982.917	19982.917			19988.6167	19988.617
8.5 1982.69 1982.69 1998.2501 1990.477 1999.477 1999.477 10.5 1982.321 1992.3231 1991.6017 1999.1017	7.5	19982.811	19982.811			19989.2567	19989.257
9.5 19982.321 19982.321 19991.027 19991.067 19991.027 11.5 19981.393 19972.482 19972.411 19992.171 19992.171 12.5 19981.493 19971.421 19992.171 19992.171 19992.171 13.5 19981.476 19981.541 19902.7807 19992.7807 <t< td=""><td>8.5</td><td>19982.659</td><td>19982.659</td><td></td><td></td><td>19989.8767</td><td>19989.877</td></t<>	8.5	19982.659	19982.659			19989.8767	19989.877
10.5 1998.2.321 1998.2.321 1998.2.46 1990.1.0617 19991.062 12.5 1998.1.078 1998.1.078 1997.2.411 1990.2.707 19992.475 13.5 1998.1.078 1998.1.078 1997.2.421 19992.2707 19992.675 14.5 1998.1.076 1998.1.051 1996.509 1997.4241 19992.2707 19992.676 15.5 1998.1.176 1998.1.051 1996.505 1996.3.71 1999.2.326 19993.061 15.5 1998.1.76 1998.0.561 1996.539 1999.2.326 19995.076 19.5 1999.0.711 1996.0.521 19995.076 19995.076 19995.076 19.5 1999.0.721 1996.370 19995.206 19995.076 19995.026 199	9.5	19982.501	19982.501			19990.4797	19990.480
11.5 19981.039 19982.146 PP72.482 19971.421 19992.1707 19992.171 13.5 19981.478 19981.733 19971.421 19992.7507 1992.072 13.5 19981.474 19981.519 19971.421 19993.7916 19992.7507 15.5 19981.876 19981.261 19960.505 19980.376 19990.7366 19994.756 19994.756 19994.756 19995.373 15.5 19980.271 19980.436 19964.305 19967.306 19994.7586 19995.487 15.5 19979.346 19980.128 19965.359 19995.385 19995.386 19995.386 15.5 19979.348 19979.127 19962.392 19995.328 19996.346 19996.292 19995.386 19996.694 19995.335 19997.6806 19997.680 19997.586 19997.680 19997.586 19997.680 19997.586 19997.680 19997.586 19997.680 19997.586 19997.680 19997.586 19997.680 19997.586 19997.680 19997.586 19997.680 19997.586 19997.680 19997.586 19997.586 19997.586 19997.586 19997.	10.5	19982.321	19982.321			19991.0617	19991.062
12.5 1998.1 6/8 1998.1 6/8 1998.1 6/8 1999.1 6/9 1999.2 767 1999.2 767 14.5 1998.1 6/8 1998.1 504 1997.0 4/51 1999.3 2766 1999.3 766 15.5 1998.1 76 1998.1 261 1996.5 05 1996.3 71 1999.3 266 1999.4 623 17.5 1998.0 577 1998.0 57 1998.0 57 1996.3 59 1999.4 263 1999.4 263 18.3 1999.0 71 1998.0 58 1996.3 59 1999.5 206 1999.5 206 1999.5 206 1999.5 205 19.7 19980.5 71 1998.0 71 1996.4 263 1996.4 263 1999.5 206 <td>11.5</td> <td>19982.146</td> <td>19982.146</td> <td></td> <td></td> <td>19991.6027</td> <td>19991.603</td>	11.5	19982.146	19982.146			19991.6027	19991.603
13.5 19981.42 19981.73 19971.421 19972.750 19922.757 15.5 19981.176 19981.54 19968.505 19968.371 19993.2926 15.5 19980.597 19980.597 19980.597 19993.7916 19993.764 15.5 19980.597 19980.597 19980.597 19990.428 19996.428 19996.428 19996.428 19996.5286 19995.230 19995.230 19995.236 19997.235 19975.365 19997.352 19975.365 19997.352 19997.355 19997.355 199	12.5	19981.939	19981.939	19972.482	19972.411	19992.1707	19992.171
14.5 1998.1.42 1998.1.504 1997.0.451 1998.7016 1998.7016 15.5 1998.0.806 1998.0.05 1996.505 1996.3.71 1994.2866 1999.1.426 15.5 1998.0.371 1998.0.715 1996.5.359 1995.7.366 1999.5.266 1999.5.266 1999.5.265 1999.7.161 1999.5.265 1999.7.566 1999.7.566 1999.7.566 1999.7.566 1999.7.566 1999.7.566 1999.7.566 1999.7.566 1999.7.566 1999.7.566 1999.7.566 1999.7.569 1999.7.567 1996.5.258 1999.7.696 1999.7.566 1999.7.566 1999.7.566 1999.7.566 1999.7.566 1999.7.566 1999.7.566 1999.7.566 1999.7.566 1999.7.566 1999.7.566 1999.7.566 1999.7.566 1999.7.566 1999.7.566 19999.7.566	13.5	19981.678	19981.733	19971.495	19971.421	19992.7507	19992.679
15.5 19981.176 19982.261 19969.096 19993.716 19993.064 15.5 19980.857 19980.577 19980.577 19994.7286 19994.254 17.5 19980.577 19980.715 19962.505 19963.705 19995.205 19995.205 19995.205 19995.205 19995.205 19995.205 19995.205 19995.225 19995.225 19995.225 19995.225 19995.225 19995.225 19995.225 19995.225 19995.235 19995.235 19995.235 19995.235 19995.235 19995.235 19995.235 19995.235 19995.235 19995.235 19995.235 19995.235 19995.235 19995.235 19995.235 19997.355	14.5	19981.442	19981.504		19970.451	19993.2926	
16.5 1998.896 1998.005 1996.371 1996.376 1994.236 1994.623 17.5 1998.0271 1998.0436 1996.369 1995.236 1999.5076 19.7 1997.946 1998.028 1996.128 1995.236 1999.5452 1999.694.55 1999.694.56 1999.7352 1997.5316 1997.353 1997.353 1997.631 1995.432 1999.4355 1999.789.66 1999.735 25.5 1997.550 1997.550 1997.551 1997.550 1997.553 1999.806.66 1999.93.57 25.5 1997.644 1997.536 1995.5148 1995.327 1999.806.56 1999.326 1999.326 1999.326 1999.326 1999.326 1999.326 1999.326 1999.936 1999.936 1999.936 1999.937	15.5	19981.176	19981.261	19969.509		19993.7916	19993.664
17.5 19980.597 19980.715 19967.306 19947.306 19940.23 18.5 19980.271 19980.0128 19965.359 19995.685 19995.685 19.5 19979.243 19964.283 19965.296 19995.685 19996.294 20.5 19979.25 19963.170 19962.926 19996.528 19996.294 22.5 19978.848 19979.127 19962.068 19961.766 19996.9486 19997.516 23.5 19978.008 19978.77 19962.068 19961.765 19997.516 19997.516 25.5 19977.500 19978.008 19955.828 19998.0966 19997.520 25.5 19977.500 19977.500 19975.314 19955.828 19998.0966 19999.735 25.5 19976.659 19977.150 19956.339 19955.828 19998.0366 19999.392 29.5 19975.670 19976.322 19955.428 19999.0735 19999.0735 29.5 19975.670 19974.333 19949.024 19945.459 19999.075 30.5 19974.040 19974.383 19949.241 19945.408 <td>16.5</td> <td>19980.896</td> <td>19981.005</td> <td>19968.505</td> <td>19968.371</td> <td>19994.2846</td> <td>19994.166</td>	16.5	19980.896	19981.005	19968.505	19968.371	19994.2846	19994.166
18.5 19980.271 19980.436 19966.306 19995.2306 19995.075 19.5 19979.946 19980.128 19965.359 19995.085 19995.085 19.5 19979.226 19978.284 19964.126 19996.466 19995.083 21.5 19978.248 19971.127 19962.026 19996.456 19996.466 19996.466 19996.466 23.5 19978.417 19978.766 19960.054 19997.452 19997.8316 19997.525 25.5 19977.500 19978.008 19958.680 19958.622 19997.690 19977.500 25.5 19977.150 19977.500 19975.518 19957.057 19998.066 19999.8251 28.5 19976.179 19976.671 19955.327 19998.251 19999.326 19999.325 29.5 19975.446 19975.836 19955.128 19999.096 19999.990 19999.987 31.5 19974.604 19974.877 19950.277 19949.410 20000.125 19999.333 19973.488 19974.877	17.5	19980.597	19980.715		19967.306	19994.7586	19994.623
19.5 19979.946 19980.128 19963.359 19964.023 19995.0856 19995.08 20.5 19979.216 19961.126 19962.926 19996.9256 19996.024 22.5 19978.848 19979.127 19962.026 19996.0452 19996.935 22.5 19978.848 19979.147 19959.814 19959.024 19997.6866 19997.044 24.5 19978.008 19977.500 19955.818 19995.825 19997.6866 19997.689 25.5 19977.150 19976.571 1998.4056 19997.689 19997.689 27.5 19976.659 19977.570 19955.188 19953.528 19998.036 19998.807 29.5 19975.670 19976.232 19953.954 19953.251 19999.0326 19998.037 29.5 19975.670 19976.232 19953.128 19999.0326 19999.012 21.5 19974.644 19975.836 19951.528 19999.0326 19999.012 21.5 19975.670 19975.836 19992.042 19999.935 19999.935 21.5 19974.643 19974.877 19949.441	18.5	19980.271	19980.436	19966.396		19995.2306	19995.076
20.5 19979.813 19964.283 19964.062 19996.1156 19995.026 21.5 19979.813 19964.283 19962.926 19996.296 19996.626 21.5 19978.848 19973.127 19962.008 19961.796 19996.625 19977.3516 19997.632 23.5 19977.8417 19978.766 19950.954 19959.452 19977.686 19997.352 25.5 19977.590 19975.518 19957.057 1998.666 19997.958 25.5 19976.179 19976.731 19955.428 1998.7086 19999.203 28.5 19976.679 19976.522 19953.327 19999.0736 19998.781 29.5 19975.464 19975.360 19951.28 19999.0736 19999.073 31.5 19974.644 19975.361 19952.72 19953.327 19999.0736 19999.073 32.5 19974.644 19975.361 19952.72 19953.327 19999.0736 19999.97 32.5 19974.643 19974.877 19950.277 19949.411	19.5	19979.946	19980.128	19965.359		19995.6856	19995.487
21.5 19979.226 19963.170 19962.926 19996.5286 19996.294 22.5 19978.848 19979.127 19962.068 19961.075 19996.0456 19996.0456 19996.0456 23.5 19978.008 19978.17 19959.814 19959.822 19997.6806 19997.014 24.5 19977.500 19975.018 19958.258 19998.606 19997.550 25.5 19976.659 19977.510 19956.339 19958.428 19998.706 19998.507 25.5 19976.619 19976.731 19955.438 19959.4559 19999.3026 19998.507 29.5 19975.670 19976.334 19952.048 19999.073 19998.507 30.5 19974.604 19975.836 19951.528 19999.026 19999.325 31.5 19974.846 19974.383 19947.761 19946.412 20000.7365 19999.873 32.5 19971.049 19973.348 19947.761 19946.412 20000.7365 19999.575 33.5 19972.268 19947.761	20.5		19979 813	19964 283	19964 062	19996 1156	19995.903
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19978.417 19978.766 19960.954 19960.625 19997.3516 19970.44 24.5 19978.008 19978.417 19959.814 19959.452 19997.6896 19997.352 25.5 19977.150 19977.500 19978.008 19958.680 19958.258 19998.0066 19997.958 27.5 19976.679 19977.500 19975.830 19955.828 19998.786 19999.9736 28.5 19976.179 19976.731 19955.148 19954.559 19999.9736 19998.507 29.5 19975.670 19975.830 19955.128 19999.90736 19999.907 31.5 19974.604 19975.830 19951.528 19999.9076 19999.907 32.5 19974.644 19975.830 1994.024 1994.411 20000.2125 19999.907 33.5 19974.643 19973.348 1994.640 20000.7365 19999.906 35.5 19972.268 19947.31 1994.2612 20001.365 20000.136 35.5 19971.635 19973.348 1994.409	22.5	19978 848	19979 127	19962 068	19961 796	19996 9456	19996 660
24.5 19978.008 19978.417 19959.814 19959.422 19977.6806 19997.352 25.5 19977.590 19978.008 19958.680 19958.258 19997.06866 19997.592 25.5 19977.590 19977.590 19975.718 19957.057 19998.4056 19997.582 27.5 19976.659 19977.510 19956.339 19955.828 19999.8066 19998.251 28.5 19976.670 19976.222 19953.954 19953.327 19999.3926 19998.781 30.5 19975.146 19975.360 19951.528 19999.9066 19999.020 31.5 19974.049 19974.877 19950.277 19949.441 20000.2125 19999.393 31.5 19972.883 19973.348 19946.760 19946.763 20000.3765 19999.872 35.5 19970.341 19971.268 19943.926 19944.008 20001.1715 19999.872 36.5 19970.341 19971.268 19943.926 19944.008 20001.175 199999.876 31.5	22.5	19978.417	19978 766	19960.954	19960 625	19997 3516	19997 014
1997.500 19978.008 19938.680 19938.225 19998.0696 19997.600 25.5 19977.150 19977.150 19938.680 19938.281 19998.0696 19997.600 25.5 19976.079 19977.150 19955.828 19999.8066 199998.251 28.5 19976.179 19976.222 19953.954 19953.232 19999.8066 199998.069 29.5 19975.670 19975.836 19952.732 19952.048 19999.9026 19998.070 29.5 19974.604 19975.836 19951.528 19999.7096 19999.070 31.5 19974.604 19974.837 19949.024 19944.11 20000.2125 19999.071 32.5 19974.644 19974.837 19947.761 19944.610 20000.2025 19999.575 33.5 19972.883 19973.846 19947.61 19944.610 20000.2055 19999.575 35.5 19971.635 19972.827 19945.216 19944.08 20001.1715 19999.986 35.5 19970.989 19972.268 <td>23.5</td> <td>19978.008</td> <td>19978.417</td> <td>19959 814</td> <td>19959 452</td> <td>19997 6896</td> <td>19997 352</td>	23.5	19978.008	19978.417	19959 814	19959 452	19997 6896	19997 352
2.5 1971.50 1977.50 1997.50 1995.530 1995.557 19998.405 19999.305 27.5 19976.659 19977.510 19955.339 19955.828 19998.405 19998.505 28.5 19976.670 19976.222 19953.954 19952.048 19999.076 19999.805 29.5 19975.670 19975.360 19951.228 19999.096 19999.097 30.5 19974.044 19975.360 19951.528 19999.096 19999.935 31.5 19974.049 19974.877 19950.277 19949.441 20000.2125 19999.393 32.5 19972.883 19973.346 19947.761 19946.763 20000.756 19999.985 35.5 19972.268 19943.216 19944.040 20000.1715 19999.985 36.5 19970.841 19971.703 19942.612 20001.3865 20000.1715 38.5 19970.856 19991.827 19941.250 19938.335 20001.285 395.5 19969.566 19997.288 19939.817 20	24.5	19977 590	19978.008	10058 680	10058 258	19998.0696	19997.690
bbs bbs <thbs< th=""> bbs bbs</thbs<>	25.5	10077 150	19977 590	10057 518	19957.057	19998 /056	10007.058
21.3 1970.0.39 1971.110 1970.0.39 1970.0.23 1970.0.23 1970.0.24 28.5 19975.170 19976.731 19955.148 19953.327 19999.3926 19998.8781 30.5 19975.146 19975.836 19952.732 19952.048 19999.9396 19999.012 31.5 19974.044 19975.360 19951.528 19999.9856 19999.393 33.5 19973.468 19974.877 19950.277 19944.41 20000.2125 19999.393 33.5 19973.468 19974.383 19949.024 19944.763 20000.7365 19999.705 34.5 19972.268 19945.216 19944.008 20001.715 19999.872 36.5 19970.341 19971.703 19942.612 20001.3865 20000.113 39.5 1996.656 19971.143 19941.250 1993.787 20001.765 41.5 19968.236 19969.968 19939.853 20001.201 194 39.5 19969.656 19971.143 19941.250 1993.787 20002.045 42.5 19969.656 19971.703 19943.261	20.5	10076 650	10077 150	10056 330	10055 828	10008 7806	10008 251
20.5 19976.179 19976.171 1992.47.30 1992.47.30 1992.47.30 1992.47.30 20.5 19975.670 19975.222 19953.954 19953.327 19999.3926 19998.781 30.5 19974.604 19975.360 19951.528 19999.012 19993.9356 19999.012 31.5 19974.604 19975.367 19949.411 20000.2125 19999.373 33.5 19973.468 19973.867 19947.61 19946.763 20000.455 19999.575 34.5 19972.268 19973.842 19944.761 19946.763 20000.765 19999.875 35.5 19972.268 19943.926 19944.08 20001.1715 19999.986 37.5 19970.341 19971.703 19942.612 19941.250 20000.1365 20000.113 39.5 19969.656 19971.143 19942.612 19941.250 20001.7565 20002.103 40.5 19969.656 19971.703 19943.521 19933.787 20001.7565 41.5 19969.656 19971.703	27.5	19970.039	19977.130	19950.559	19955.828	19998.7800	19998.231
23.5 19913.010 19973.320 19933.321 19993.320 19933.320 30.5 19975.146 19975.360 19952.732 19953.321 19999.9020 31.5 19974.049 19975.360 19951.528 19999.9021 32.5 19974.049 19974.877 19950.277 19949.441 20000.2125 19999.393 33.5 19973.868 19974.383 19940.024 19948.110 20000.4955 19999.575 34.5 19972.268 19973.348 19946.761 19944.763 20000.7365 19999.875 35.5 19970.341 19971.703 19942.612 20001.7655 20000.110 38.5 19970.341 19971.703 19942.612 19933.387 20001.7565 40.5 19968.236 19971.563 19939.950 19933.385 20001.7565 20000.110 38.5 19970.341 19971.703 19942.612 19933.387 20001.7565 20000.19215 41.5 19968.236 19971.533 19933.87 20001.7565 20002.0445 245 255 20002.0445 245 20002.3485 245	20.5	19970.179	19970.731	19953.140	19954.559	19999.0750	19998.307
30.3 1997,140 1997,140 1997,140 1997,140 1997,150 19999,000 31.5 19974,049 19974,877 19950,277 19949,411 20000,2125 19999,393 33.5 19973,468 19974,383 19940,024 19948,110 20000,4955 19999,517 34.5 19972,883 19973,348 19940,761 19944,763 20000,7365 19999,872 35.5 19970,883 19972,827 19945,216 19944,068 20001,715 19999,986 37.5 19970,341 19971,103 19942,612 19941,250 20001,3865 20000,110 38.5 19970,341 19971,103 19942,612 19941,250 20001,7565 20000,213 40.5 19968,559 19970,563 19939,950 19938,787 20001,7565 20000,2145 2000,2045 242.5 1996,7503 19935,881 19938,877 20002,2045 42.5 19966,771 19968,750 19933,882 20002,3065 44.5 19966,771 19966,873 19933,385 20002,2045 45.5 19966,252 1996,303 19933,385 20002,2045 55.5	29.5	19975.070	19970.292	19953.954	19953.527	19999.3920	19996./61
11.5 19974.004 19971.500 1991.528 19979.500 19999.203 12.5 19974.049 19974.877 19940.024 19948.110 20000.2125 19999.393 33.5 19972.883 19973.867 19947.761 19945.763 20000.7365 19999.773 36.5 19972.268 19973.348 19946.761 19945.408 20001.9565 19999.872 36.5 19971.635 19972.827 19945.216 19944.008 20001.1715 19999.983 37.5 19970.989 19972.268 19943.926 19942.612 2001.3865 20000.110 38.5 19970.341 19971.143 19941.250 19938.335 20001.7565 20002.045 41.5 19968.236 19969.68 19938.617 19936.872 20002.045 20002.045 42.5 19967.503 19969.570 19935.381 19933.888 20002.2065 44.5 43.5 19966.071 19968.750 19933.315 19933.882 20002.5065 45.5 45.5 19965.220 19967.503 19933.315 19930.863 20002.5065 45.5	30.3 21.5	19973.140	19975.850	19932.732	19932.048	19999.7090	19999.012
12.3 1974.049 1974.677 1990.277 1994.471 2000.212.3 1999.353 33.5 19973.468 19974.383 19940.024 19948.110 20000.4955 19999.710 34.5 19972.268 19973.348 19946.490 19945.408 20000.9565 19999.872 36.5 19971.635 19972.268 19943.926 19942.612 20001.1715 19999.986 37.5 19970.341 19971.703 19942.612 19941.250 20000.1865 20000.113 39.5 19966.56 19971.143 19942.612 19941.250 20000.213 30.5 19966.859 19970.563 19939.950 19935.337 20001.7565 41.5 19966.859 19970.563 19938.351 20002.0945 44.5 41.5 19966.001 19968.750 19933.838 20002.2285 44.5 43.5 19966.001 19968.130 19933.452 19933.888 20002.3485 44.5 19966.6195 19933.385 19927.75 20002.7085 45.5	22.5	19974.004	19975.300	19951.526	10040 441	20000 2125	19999.207
33.5 1971.3.408 1974.3.63 1974.3.63 1974.3.63 1974.3.63 1974.3.63 1979.3.61 34.5 19972.268 19973.348 19946.490 19945.408 20000.3.655 19999.862 35.5 19971.635 19972.268 19943.926 19944.008 20001.1715 19999.862 37.5 19970.989 1972.268 19943.926 19942.612 20001.3865 20000.213 38.5 19970.341 19971.703 19942.612 19941.250 20001.3865 20000.213 39.5 19969.656 19971.143 19941.250 19938.335 20001.9215 20000.215 41.5 19968.236 19969.968 19938.617 19938.335 20002.2485 245 42.5 19966.701 19968.750 19937.254 19933.888 20002.3485 45.5 19966.417 19968.433 19931.750 20002.7065 45.5 19964.417 19966.843 19931.750 20002.7085 45.5 19961.076 19964.417 19966.843 19931.750 20002.7085 45.5 19961.076 19964.417 19942.812 19922.975 15.5	32.3 33.5	19974.049	19974.877	19930.277	19949.441	20000.2125	19999.393
94.3 19972.863 19973.807 19947.701 19946.703 20000.7303 19999.713 35.5 19972.268 19973.348 19946.400 19945.408 20000.9565 19999.872 36.5 19970.089 19972.268 19943.926 19942.612 20001.3865 20000.110 38.5 19970.341 19971.703 19942.612 19941.250 20001.7565 40.5 19968.56 19971.143 19941.250 19939.787 20001.7565 40.5 19966.56 19971.143 19941.250 19938.335 20002.0945 42.5 19966.7503 19935.881 19935.887 20002.0945 42.5 19966.771 19968.750 19933.888 20002.3485 44.5 19966.001 19968.130 19931.35 19930.863 20002.5065 45.5 19966.417 19966.833 19931.750 20002.7085 2002.8005 45.5 19966.106 19965.528 19928.935 20002.8005 1991.503 45.5 19961.930 19964.859 19927.745 20002.8005 1991.503 51.5	33.3 24 5	199/5.408	19974.365	19949.024	19948.110	20000.4955	19999.373
3.3 1997.2408 1997.348 19943.400 19943.406 2000.50.5 19979.81 36.5 19971.635 19972.827 19943.926 19942.612 20001.3865 20000.1171 19999.88 37.5 19970.841 19971.703 19942.612 19941.250 20001.3865 20000.213 39.5 19968.256 19971.143 1993.820 19938.335 20001.9215 20000.213 40.5 19968.236 19969.968 19938.817 19936.872 20002.0945 242.5 41.5 19966.731 19968.750 19935.881 19933.888 20002.3485 44.5 42.5 19965.220 19967.503 19933.135 19930.863 20002.5065 45.5 45.5 19965.220 19967.503 19931.750 20002.7085 45.5 45.5 19966.195 19930.338 19927.745 20002.8005 45.5 48.5 19961.900 19964.859 19927.523 19927.745 20002.8005 45.5 50.5 19961.076 19964.172 19922.975 45.5 19962.766 19922.975 45.67 <td>34.3 25.5</td> <td>19972.883</td> <td>199/3.80/</td> <td>19947.701</td> <td>19940.703</td> <td>20000.7365</td> <td>19999./10</td>	34.3 25.5	19972.883	199/3.80/	19947.701	19940.703	20000.7365	19999./10
50.5 19971.6.53 19972.267 19943.216 19944.008 20001.1715 19999.368 37.5 19970.341 19972.268 19943.926 19942.612 20001.3865 20000.110 39.5 19960.656 19971.143 19942.612 19941.250 20001.3865 20000.213 39.5 19969.656 19971.143 19942.612 19948.235 20001.9215 40.5 19968.236 19969.688 19938.950 19938.335 20002.2285 41.5 19966.771 19968.750 19935.881 19933.388 20002.3485 44.5 19966.001 19968.130 19933.135 19930.863 20002.5065 45.5 19965.220 19967.503 19933.135 19930.863 20002.5065 45.5 19962.766 19966.195 19930.338 19927.745 20002.8005 45.5 19962.766 19964.172 19922.975 2002.8005 1 49.5 19961.076 19964.172 19922.975 1 1 51.5 19961.076 19962.766 19923.216 19919.700 1	33.3 26 F	19972.208	199/3.348	19946.490	19945.408	20000.9565	19999.872
51.5 19970.389 19972.268 19942.612 20001.3855 20000.110 38.5 19970.341 19971.703 19942.612 19942.612 20001.7565 39.5 19969.656 19971.143 19942.612 19939.787 20001.7565 40.5 19968.959 19970.563 19939.950 19936.872 20002.0945 41.5 19966.7503 19969.372 19937.254 19935.387 20002.285 44.5 19966.001 19968.750 19933.135 19933.888 20002.3485 44.5 19966.001 19966.417 19966.433 19931.750 20002.7085 45.5 19962.766 19965.528 19928.935 20002.8005 44.5 45.5 19961.076 19964.417 19963.468 19921.751 20002.8005 45.5 19961.930 19964.859 19927.723 19921.551 20002.8005 45.5 19961.076 19964.72 19922.975 1991.5351 19952.901 19962.766 19923.216 1991.700 52.5 19958.383 19962.068 19921.772 19918.044 54.5	30.5	19971.635	19972.827	19945.216	19944.008	20001.1/15	19999.986
38.5 199/0.341 199/1.103 19941.250 19941.250 20000.213 39.5 19968.656 19971.143 19941.250 19939.787 20001.7565 40.5 19968.256 19970.563 19939.950 19938.335 20002.045 41.5 19968.236 19969.372 19937.254 19935.387 20002.285 43.5 19966.771 19968.750 19935.881 19933.888 20002.3485 44.5 19966.001 19968.130 19931.750 20002.5895 45.5 19965.220 19967.503 19930.338 19927.745 20002.8005 45.5 19964.417 19968.859 19927.523 19924.569 20002.8005 48.5 19961.930 19964.859 19927.523 19924.956 20002.8005 50.5 19960.184 19963.468 19924.574 19921.351 1996.351 1996.352 51.5 19960.184 19963.468 19924.674 19921.351 1996.368 19921.772 19918.044 52.5 19959.290 19962.766 19923.216 19919.700 1992.955 19959.833	37.5	19970.989	19972.268	19943.926	19942.612	20001.3865	20000.110
59.5 19969.656 19971.143 1994.250 1993.787 20001.765 40.5 19968.959 19970.563 19939.950 19938.335 20001.9215 41.5 19968.236 19969.968 19938.617 19936.872 20002.0945 42.5 19967.503 19968.750 19937.254 19933.888 20002.2285 43.5 19966.001 19968.750 19933.135 19930.863 20002.5065 45.5 19966.201 19966.843 19931.750 20002.7085 45.5 19963.609 19966.195 19930.338 19927.745 20002.8005 46.5 19961.930 19964.859 19927.523 19924.569 2002.8005 48.5 19961.076 19964.766 19923.216 19922.975 19959.200 19962.766 19923.216 19921.51 52.5 19959.200 19962.668 19921.772 19918.044 1992.301 1991.394 54.5 19957.453 19961.346 19920.301 19916.394 1995.55.41 19959.884 1991.700 55.5 19956.503 19960.625 19918.830	38.5	19970.341	19971.703	19942.612	19941.250	20001 7565	20000.213
40.5 19968.959 1997.0.563 1993.9.50 19938.335 20001.9215 41.5 19968.236 19969.968 19938.617 19936.872 20002.0945 42.5 19967.503 19969.372 19937.254 19935.387 20002.2285 43.5 19966.001 19968.130 19934.532 19932.386 20002.3485 44.5 19966.001 19968.130 19931.750 20002.5065 45.5 19964.417 19966.843 19931.750 20002.7085 46.5 19964.609 19965.528 19927.745 20002.8005 48.5 19961.930 19964.859 19928.935 2002.8005 49.5 19961.076 19964.467 19922.975 19922.975 51.5 19960.184 19963.468 19921.772 19918.044 52.5 19959.290 19962.766 19923.216 19917.700 53.5 19957.453 19960.625 19918.830 19914.704 54.5 19957.453 19960.625 19918.830 19914.704 55.5 19955.541 19959.884 19917.358 19913	39.5	19969.656	199/1.143	19941.250	19939.787	20001.7565	
41.5 19968.236 19969.968 19938.617 19936.872 20002.0945 42.5 19967.503 19969.372 19937.254 19935.387 20002.2285 43.5 19966.771 19968.750 19935.881 19933.888 20002.3485 44.5 19966.001 19968.130 19934.532 19930.863 20002.5065 45.5 19965.220 19967.503 19931.750 20002.7085 46.5 19964.417 19966.843 19931.750 20002.8005 47.5 19962.766 19965.528 19927.745 20002.8005 48.5 19961.076 19964.859 19927.523 19924.569 50.5 19961.076 19964.72 19922.975 51.5 19960.184 19962.766 19923.216 19919.700 53.5 19958.383 19962.068 19921.772 19918.044 54.5 19957.453 1996.625 19918.830 19914.704 55.5 19956.503 19960.625 19918.830 19914.704 55.5 19955.541 19959.844 19917.358 19913.001	40.5	19968.959	199/0.563	19939.950	19938.335	20001.9215	
42.5 19967.503 19969.372 19937.254 19935.387 20002.2285 43.5 19966.771 19968.750 19935.881 19933.888 20002.3485 44.5 19966.001 19968.130 19934.532 19932.386 20002.5065 45.5 19965.220 19967.503 19931.750 20002.7085 46.5 19964.417 19966.843 19931.750 20002.7085 47.5 19963.609 19966.195 19930.338 19927.745 20002.8005 48.5 19962.766 19965.528 19924.569 20002.8005 19950.55 50.5 19961.076 19964.472 19922.975 19952.975 151.5 19960.184 19962.766 19923.216 19917.000 19953.55 19958.383 19962.068 19921.351 19918.044 19957.453 19961.346 19920.301 19918.044 19915.554 19956.503 19960.625 19918.830 19914.704 19916.394 1991.3001 1991.3001 1991.3001 1991.3001 1991.3001 1991.3001 1991.3001 19958.554 19959.554 19959.140 19915.858 19911.280	41.5	19968.236	19969.968	19938.617	19936.872	20002.0945	
43.5 19966.771 19968.750 19933.881 19933.888 20002.3485 44.5 19966.001 19968.130 19934.532 19932.386 20002.5065 45.5 19965.220 19967.503 19931.155 19930.863 20002.5895 46.5 19964.417 19966.843 19931.750 20002.7085 47.5 19962.766 19965.528 19928.935 20002.8005 48.5 19961.930 19964.859 19927.523 19922.975 50.5 19961.076 19964.172 19922.975 51.5 19960.184 19962.766 19923.216 19917.000 52.5 19959.290 19962.068 19921.772 19918.044 54.5 19957.453 19960.625 19918.830 19914.704 55.5 19956.503 19960.625 19918.830 19914.704 55.5 19955.541 19959.884 19917.358 19913.001 57.5 19954.559 19959.140 19915.858 19911.280 58.5 19953.576 19958.383 19914.376 19909.565	42.5	19967.503	19969.372	19937.254	19935.387	20002.2285	
44.5 19966.001 19968.130 19934.532 19932.386 20002.5065 45.5 19965.220 19967.503 19933.135 19930.863 20002.5895 46.5 19964.417 19966.843 19931.750 20002.7085 47.5 19962.766 19965.528 19928.935 20002.8005 48.5 19961.930 19964.859 19927.523 19924.569 50.5 19961.076 19964.172 19922.975 51.5 19960.184 19963.468 19924.674 19921.351 52.5 19959.290 19962.766 19923.216 19919.700 53.5 19957.453 19961.346 19920.301 19916.394 55.5 19955.541 19959.884 19917.358 19913.001 57.5 19955.541 19959.140 19915.858 19911.280 58.5 19953.576 19958.383 19914.376 19909.565	43.5	19966.771	19968.750	19935.881	19933.888	20002.3485	
45.5 19965.220 19967.503 19933.135 19930.863 20002.5895 46.5 19964.417 19966.843 19931.750 20002.7085 47.5 19963.609 19966.195 19930.338 19927.745 20002.8005 48.5 19962.766 19965.528 19928.935 19924.569 19922.975 50.5 19961.076 19964.859 19924.674 19922.975 19950.883 51.5 19960.184 19962.766 19923.216 19919.700 53.5 19959.290 19962.766 19920.301 19916.394 54.5 19955.533 19960.625 19918.830 19914.704 55.5 19955.541 19959.884 19917.358 19913.001 57.5 19955.541 19959.140 19915.858 19911.280 58.5 19953.576 19958.383 19914.376 19909.565	44.5	19966.001	19968.130	19934.532	19932.386	20002.5065	
46.519964.41719966.84319931.75020002.7085 47.5 19963.60919966.19519930.33819927.74520002.8005 48.5 19962.76619965.52819928.93519924.569 49.5 19961.07619964.17219922.975 51.5 19960.18419963.46819924.67419921.351 52.5 19959.29019962.76619923.21619919.700 53.5 19958.38319962.06819921.77219918.044 54.5 19957.45319961.34619920.30119916.394 55.5 19955.54119959.88419917.35819913.001 57.5 19954.55919959.14019915.85819911.280 58.5 19953.57619958.38319914.37619909.565	45.5	19965.220	19967.503	19933.135	19930.863	20002.5895	
47.5 19963.609 19966.195 19930.338 19927.745 20002.8005 48.5 19962.766 19965.528 19928.935 19924.569 49.5 19961.076 19964.859 19924.574 19922.975 50.5 19960.184 19963.468 19924.674 19921.351 52.5 19959.290 19962.766 19921.772 19918.044 53.5 19957.453 19961.346 19920.301 19916.394 55.5 19956.503 19960.625 19918.830 19914.704 56.5 19955.541 19959.884 19917.358 19913.001 57.5 19954.559 19959.140 19915.858 19911.280 58.5 19953.576 19958.383 19914.376 19909.565	46.5	19964.417	19966.843	19931.750		20002.7085	
48.5 19962.766 19965.528 19928.935 49.5 19961.930 19964.859 19927.523 19924.569 50.5 19961.076 19964.172 19922.975 51.5 19960.184 19963.468 19924.674 19921.351 52.5 19959.290 19962.766 19923.216 19919.700 53.5 19958.383 19962.068 19921.772 19918.044 54.5 19957.453 19961.346 19920.301 19916.394 55.5 19956.503 19960.625 19918.830 19914.704 56.5 19955.541 19959.884 19917.358 19913.001 57.5 19954.559 19959.140 19915.858 19911.280 58.5 19953.576 19958.383 19914.376 19909.565	47.5	19963.609	19966.195	19930.338	19927.745	20002.8005	
49.5 19961.930 19964.859 19927.523 19924.569 50.5 19961.076 19964.172 19922.975 51.5 19960.184 19963.468 19924.674 19921.351 52.5 19959.290 19962.766 19923.216 19919.700 53.5 19958.383 19962.068 19921.772 19918.044 54.5 19957.453 19961.346 19920.301 19916.394 55.5 19956.503 19960.625 19918.830 19914.704 56.5 19955.541 19959.884 19917.358 19913.001 57.5 19954.559 19959.140 19915.858 19911.280 58.5 19953.576 19958.383 19914.376 19909.565	48.5	19962.766	19965.528	19928.935			
50.519961.07619964.17219922.975 51.5 19960.18419963.46819924.67419921.351 52.5 19959.29019962.76619923.21619919.700 53.5 19958.38319962.06819921.77219918.044 54.5 19957.45319961.34619920.30119916.394 55.5 19956.50319960.62519918.83019914.704 56.5 19955.54119959.88419917.35819913.001 57.5 19954.55919959.14019915.85819911.280 58.5 19953.57619958.38319914.37619909.565	49.5	19961.930	19964.859	19927.523	19924.569		
51.519960.18419963.46819924.67419921.35152.519959.29019962.76619923.21619919.70053.519958.38319962.06819921.77219918.04454.519957.45319961.34619920.30119916.39455.519956.50319960.62519918.83019914.70456.519955.54119959.88419917.35819913.00157.519954.55919959.14019915.85819911.28058.519953.57619958.38319914.37619909.565	50.5	19961.076	19964.172		19922.975		
52.519959.29019962.76619923.21619919.70053.519958.38319962.06819921.77219918.04454.519957.45319961.34619920.30119916.39455.519956.50319960.62519918.83019914.70456.519955.54119959.88419917.35819913.00157.519954.55919959.14019915.85819911.28058.519953.57619958.38319914.37619909.565	51.5	19960.184	19963.468	19924.674	19921.351		
53.519958.38319962.06819921.77219918.04454.519957.45319961.34619920.30119916.39455.519956.50319960.62519918.83019914.70456.519955.54119959.88419917.35819913.00157.519954.55919959.14019915.85819911.28058.519953.57619958.38319914.37619909.565	52.5	19959.290	19962.766	19923.216	19919.700		
54.519957.45319961.34619920.30119916.39455.519956.50319960.62519918.83019914.70456.519955.54119959.88419917.35819913.00157.519954.55919959.14019915.85819911.28058.519953.57619958.38319914.37619909.565	53.5	19958.383	19962.068	19921.772	19918.044		
55.519956.50319960.62519918.83019914.70456.519955.54119959.88419917.35819913.00157.519954.55919959.14019915.85819911.28058.519953.57619958.38319914.37619909.565	54.5	19957.453	19961.346	19920.301	19916.394		
56.519955.54119959.88419917.35819913.00157.519954.55919959.14019915.85819911.28058.519953.57619958.38319914.37619909.565	55.5	19956.503	19960.625	19918.830	19914.704		
57.519954.55919959.14019915.85819911.28058.519953.57619958.38319914.37619909.565	56.5	19955.541	19959.884	19917.358	19913.001		
58.5 19953.576 19958.383 19914.376 19909.565	57.5	19954.559	19959.140	19915.858	19911.280		
	58.5	19953.576	19958.383	19914.376	19909.565		

	$[19.9]\Omega = 5/2 - X^2 \Pi_{3/2}$										
J	Qef	Q_{fe}	Pee	P_{ff}	R_{ee}	R_{ff}					
59.5	19952.565	19957.624	19912.860	19907.799							
60.5	19951.528	19956.859	19911.381	19906.042							
61.5	19950.503	19956.080	19909.866	19904.271							
62.5	19949.441	19955.313	19908.369	19902.475							
63.5	19948.374	19954.559		19900.680							
64.5	19947.292	19953.719		19898.847							
65.5	19946.201	19952.932		19897.000							
66.5	19945.069	19952.130									
67.5	19943.926	19951.328									
68.5	19942.808	19950.503									
69.5	19941.637	19949.677									
70.5	19940.470	19948.859									
71.5	19939.292	19948.026									
72.5	19938.076	19947.199									
73.5	19936.864	19946.366									
74.5	19935.633	19945.511									
75.5	19934.374										
76.5	19933.135	19943.832									
77.5	19931.841	19942.966									
78.5	19930.571	19942.103									
79.5	19929.289	19941.249									
80.5	19927.983	19940.376									
81.5	19926.651	19939.527									

 $[19.9]\Omega = 5/2 - [2.2]A^2 \Delta_{3/2}$

J	Q_{ef}	Q_{fe}	Pee	P_{ff}	R _{ee}	R_{ff}
1.5					17761.591	17761.591
2.5	17759.667	17759.667			17762.322	17762.322
3.5	17759.619	17759.619			17763.022	17763.022
4.5	17759.527	17759.527			17763.711	17763.711
5.5	17759.435	17759.435			17764.366	17764.366
6.5	17759.320	17759.320			17765.010	17765.010
7.5	17759.183	17759.183			17765.655	17765.655
8.5	17759.021	17759.021			17766.261	17766.261
9.5	17758.858	17758.858			17766.833	17766.833
10.5	17758.673	17758.673			17767.398	17767.398
11.5	17758.461	17758.504			17767.939	17767.939
12.5	17758.233	17758.298			17768.522	17768.477
13.5	17757.997	17758.036			17769.038	17768.990
14.5	17757.732	17757.799			17769.536	17769.489
15.5	17757.464	17757.524			17770.037	17769.965
16.5	17757.160	17757.223			17770.505	17770.435
17.5	17756.855	17756.938	17743.638	17743.591	17770.942	17770.875
18.5	17756.525	17756.596	17742.569	17742.500	17771.380	17771.307
19.5	17756.185	17756.253	17741.466		17771.786	17771.715
20.5	17755.809	17755.887	17740.339	17740.269	17772.188	17772.106
21.5	17755.435	17755.517		17739.135	17772.562	17772.486
22.5	17755.036	17755.118	17738.063	17737.999	17772.925	17772.847
23.5	17754.620	17754.700	17736.906	17736.804	17773.278	17773.183
24.5	17754.187	17754.279	17735.711	17735.611	17773.589	17773.512
25.5	17753.734	17753.829	17734.495	17734.406	17773.899	17773.810
26.5	17753.264	17753.365	17733.301	17733.187	17774.191	17774.103
27.5	17752.772	17752.876	17732.051	17731.941	17774.462	17774.361
28.5	17752.270	17752.386	17730.803	17730.684	17774.724	17774.638
29.5	17751.749	17751.865			17774.959	17774.853
30.5	17751.216	17751.336			17775.194	17775.067
31.5	17750.664	17750.787			17775.419	17775.263

TABLE 1—Continued

		$[19.9]\Omega = 5/2 - [2.2]A^2 \Delta_{3/2}$										
J	-	Q_{ef}	Q	fe	Pee	P_{ff}	R	ee	R_{ff}			
32.5	1	7750.086	1775	0.219			1777.	5.608	17775.474			
33.5	1	7749.502	1774	9.638			1777.	5.763	17775.608			
34.5	1	7748.906	1774	9.034			1777.	5.895	17775.763			
35.5	1	7748.265	1774	8.414								
36.5	1	7747.632	1774	7.779								
37.5	1	7746.982	1774	7.127								
38.5	1	7746.301	1774	6.458								
39.5	1	7745.611	1774	5.776								
40.5	1	7744.916	1774	5.081								
41.5	1	7744.194	1774	4.362								
42.5	1	7743.451	1774	3.638								
43.5	1	7742.696	1774	2.890								
44.5	1	7741.925	1774	2.125								
45.5	1	7741.139	1774	1.343								
46.5	1	7740.339	1774	0.546								
47.5	1	7739.515	1773	9.730								
48.5	1	7738.678	1773	8.907								
49.5	1	7737.822	1773	8.063								
50.5	1	7736.955	1773	7.208								
51.5	1	7736.066	1773	6.330								
52.5	1	7735.163	1773	5.420								
53.5	1	7734.247	1773-	4.530								
54.5	1	7733.306	1773	3.637								
55.5	1	7732.373	1773	2.707								
56.5	1	7731.394	1773	1.766								
57.5	1	7730.432	1773	0.803								
		$[20.1]^2 \Pi_{1/2} - [$	$(0.25]^2 \Sigma$				$[20.1]^2 \Pi_{1/2}$	$[0.25]^2 \Sigma$				
J	Q_{fe}	Q_{ef}	Pee	R _{ff}	J	Q_{fe}	Q_{ef}	P _{ee}	R_{ff}			
1.5	19856.284				24.5	19874.028	19828.530	19852.920	19850.497			
2.5	19857.168				25.5	19874.659	19827.382	19852.701	19850.193			
3.5	19858.069				26.5	19875.282	19826.216	19852.470	19849.899			
4.5	19858.934				27.5	19875.888	19825.055	19852.234	19849.565			
5.5	19859.774				28.5	19876.491	19823.868	19851.981	19849.227			
6.5	19860.647				29.5	19877.083	19822.683		19848.878			
7.5	19861.481	19846.811			30.5	19877.650	19821.495	19851.451	19848.516			
8.5	19862.318	19845.801			31.5	19878.222	19820.298	19851.161	19848.198			
9.5	19863.122	19844.797			32.5	19878.772	19819.096	19850.868	19847.814			

1.5	17001.401	170-0.011			50.5	17077.050	17021.475	17051.451
8.5	19862.318	19845.801			31.5	19878.222	19820.298	19851.161
9.5	19863.122	19844.797			32.5	19878.772	19819.096	19850.868
10.5	19863.927	19843.769			33.5	19879.312	19817.884	19850.546
11.5	19864.725	19842.732			34.5	19879.839	19816.665	19850.251
12.5	19865.499	19841.687	19854.709		35.5	19880.356	19815.434	19849.899
13.5	19866.287	19840.650	19854.612	19853.186	36.5	19880.848	19814.204	19849.565
14.5	19867.045	19839.590	19854.510	19852.986	37.5	19881.340	19812.967	19849.227
15.5	19867.791	19838.522	19854.394	19852.775	38.5	19881.819	19811.714	19848.878
16.5	19868.530	19837.439	19854.287	19852.566	39.5	19882.275	19810.485	19848.516
17.5	19869.259	19836.351		19852.330	40.5	19882.740	19809.205	19848.137
18.5	19869.973	19835.255		19852.119	41.5	19883.184	19807.938	19847.744
19.5	19870.676	19834.190		19851.850	42.5	19883.609	19806.668	19847.339
20.5	19871.370	19833.057	19853.701		43.5	19884.022	19805.396	19846.930
21.5	19872.049	19831.938	19853.529	19851.331	44.5	19884.426		19846.505
22.5	19872.726	19830.809	19853.337	19851.072	45.5	19884.838	19802.819	19846.083
23.5	19873.373	19829.657	19853.132	19850.777	46.5	19885.207	19801.529	19845.633

19847.457

19847.081

19846.696

19846.302

19845.907

19845.492

19845.078

19844.678

19844.229

19843.769

19843.329

19842.872

19842.410

19841.945

		$[20.1]^2 \Pi_{1/2} - [0.25]^2 \Sigma$				$[20.1]^2 \Pi_{1/2} - [0.25]^2 \Sigma$			
J	Q_{fe}	Q_{ef}	Pee	R_{ff}	J	Q_{fe}	Q_{ef}	Pee	R_{ff}
47.5	19885.584	19800.230	19845.174	19841.470	65.5	19890.087		19835.159	
48.5	19885.937	19798.919	19844.678	19840.974	66.5	19890.218		19834.516	19831.223
49.5	19886.271	19797.610	19844.229	19840.484	67.5	19890.329		19833.851	19830.635
50.5	19886.628	19796.293	19843.759	19840.023	68.5	19890.425		19833.158	19830.026
51.5	19886.925	19794.987	19843.246	19839.477	69.5	19890.524		19832.487	19829.418
52.5	19887.239	19793.674	19842.732	19838.986	70.5				19828.826
53.5	19887.533	19792.343	19842.220	19838.462	71.5			19831.085	19828.172
54.5	19887.815	19791.010	19841.687	19837.934	72.5			19830.392	19827.600
55.5	19888.079	19789.688	19841.150	19837.439	73.5			19829.657	19826.970
56.5	19888.329	19788.343	19840.604	19836.871	74.5			19828.904	19826.355
57.5	19888.575	19787.013	19840.021	19836.347	75.5			19828.172	
58.5	19888.785	19785.640	19839.475	19835.801	76.5			19827.382	
59.5	19889.016	19784.302	19838.880	19835.257	77.5			19826.651	
60.5	19889.218	19782.911		19834.684	78.5			19825.869	
61.5	19889.401	19781.603	19837.686	19834.128	79.5			19825.055	
62.5			19837.062	19833.544	80.5			19824.281	
63.5	19889.782		19836.447	19832.963	81.5			19823.490	
64.5	19889.917		19835.804	19832.384	82.5			19822.683	

 $[20.4]\Pi_{1/2} - [0.25]^2\Sigma$

TABLE 1—Continued

 $[20.4]\Pi_{1/2}-[0.25]^2\Sigma$

J	Q_{ef}	Q_{fe}	J	Q_{ef}	Q_{fe}
4.5	20149.254		22.5	20112 240	20170 101
5.5	20148.271		32.5	20115.549	20170.101
6.5	20147.242		33.5	20111.///	20170.199
7.5	20146.212		34.5	20110.252	
8.5	20145.153		35.5	20108.598	
9.5	20144.099	20161.454	36.5	20106.968	
10.5	20142.970	20162.078	37.5	20105.320	
11.5	20141.820	20162.681	38.5	20103.661	
12.5	20140.694	20163.271	39.5	20101.982	
13.5	20139.525	20163.832	40.5	20100.285	
14.5	20138.344	20164.345	41.5	20098.574	
15.5	20137.114	20164.863	42.5	20096.848	
16.5	20135.887	20165.416	43.5	20095.112	
17.5		20165.834	44.5	20093.351	
18.5	20133.345	20166.273	45.5	20091.581	
19.5	20132.062	20166.705	46.5	20089.801	
20.5	20130.735	20167.094	47.5		
21.5	20129.398	20167.456	48.5	20086.172	
22.5	20128.037	20167.818	49.5	20084.346	
23.5	20126.649	20168,168	50.5	20082.511	
24.5	20125.263	20168.448	51.5	20080.661	
25.5	20123.819	20168.773	52.5	20078.790	
26.5	20122 393	20169.027	53.5	20076.908	
27.5	20120.943	20169.027	54.5	20075.021	
28.5	20119 447	20169 465	55.5	20073.119	
29.5	20117.954	20169.657	56.5	20071.211	
30.5	20116 451	20169.821	57.5	20069.292	
31.5	20114 899	20169.021	58.5	20067.368	
51.5	20114.077	2010).)/0			

TABLE 1—Continued

		$[22.9]^2\Pi_{3/2}-[1.5]B^2\Sigma^+$						
J	Q_{ef}	Q_{fe}	Pee	P_{ff}	R _{ee}	R_{ff}		
1.5		21381.833						
2.5		21382.277						
3.5								
4.5		21383.046	21379.627		21387.216			
5.5	21377.942	21383.427	21379.277		21388.380			
6.5	21377.382	21383.828	21378.861		21389.501			
7.5	21376.833	21384.168	21378.492		21390.617			
8.5	21376.252	21201020	21378.060	A 1 A 6 A 1 A A	21391.696			
9.5	213/5.626	21384.839	21377.642	21368.433	21392.807			
10.5	213/5.036	21385.139	21377.183	21367.034	21393.903			
11.5	213/4.436	01005 755	21376.767	21365.676	21394.951			
12.5	21373.780	21385.755	21376.253	21364.287	21395.979			
13.5	213/3.16/	21386.036	21375.786	21362.927	21397.023			
14.5	21372.484	21380.293	21375.259	21301.495	21398.044			
15.5	21371.812	21380.333	21374.790	21259 626	21399.034			
10.5	21371.128	21360.770	21374.237	21336.030	21400.018			
17.5	21370.428	21387.004	21373.090	21357.151	21401.008			
10.5	21309.728	21367.210	21373.103	21555.704	21401.979			
19.5	21308.997	21387.403	21372.020	21354.229	21402.957			
20.5	21308.284	21387.390	21372.039	21352.098	21403.830			
21.5	21307.310	21367.749	21371.402	21331.246	21404.782			
22.5	21300.743	21387.895	21370.851	21349.087	21405.094			
25.5	21303.904	21366.039	21370.237	21346.132	21400.555			
24.5	21303.100	21388.103	21309.384	21340.023	21407.405			
23.3	21304.309	21300.279	21308.937	21343.033	21406.555			
20.5	21303.330	21300.379	21308.284	21343.475	21409.170			
27.5	21302.709	21366.430	21266 0/1	21341.696	21410.010			
20.5	21301.071	21566.529	21300.941	21340.291	21410.657	21294 002		
29.5	21301.008		21300.233	21336.701	21411.055	21364.095		
21.5	21300.140		21303.307	21337.071	21412.449	21383.900		
32.5	21359.238		21364.084	21555.454	21413.198	21383.829		
33.5	21357 441		21363 346	21332 136	21413.781	21383.533		
34.5	21356 510		21362 556	21332.130	21415.717	21383.345		
35.5	21355 584		21361 809	21330.448	21416 198	21383.197		
36.5	21354 624		21361.007	21328.704	21416.198	21303.177		
37.5	21353 663		21301.007	21327.073	21410.074	21382.761		
38.5	21352.606		21350 371	21323.501	21/18 275	21382.701		
39.5	21351 702		21359.571	21325.047	21418.963	21382.525		
40.5	21350.699		21357 690	21321.000	21410.509	21382.020		
41.5	21349 689		21356 882	21318 345	21420 229	21302.020		
42.5	21348 660		21355.964	21316.591	21420.859	21381.497		
43.5	21347,593		21355.076	21314 801	21421 470	21381.185		
44.5	21346.559		21354.226	21313.001	21422.079	21380.891		
45.5	21345 488		21353,308	21311.198	21422.655	21380 566		
46.5	21344.415		21352.370	21309.353	21423.195	21380.226		
47.5	21343.315			21307.541	21423.759	21379.892		
48.5	21342.211			21305.681	21424.297	21379.524		
49.5	21341.105			21303.839	21424.802	21379.132		
50.5	21339.974			21301.973	21425.309	21378.729		
51.5	21338.831				21425.821	21378.360		
52.5	21337.683				21426.316	21377.943		
53.5	21336.514				21426.730	21377.471		
54.5	21335.323				21427.185			
55.5	21334.139				21427.616			
56.5	21332.919							
57.5	21331.665							
58.5	21330.448							

	[2:	$(2.9]^2 \Pi_{3/2} - [0.83]^2$	$T_{3/2}$ -[0.83] ² $\Delta_{5/2}$		[2	$[22.9]^2 \Pi_{3/2} - [0.83]^2 \Delta_{5/2}$			
J	Q	Р	R	J	Q	Р	R		
3.5	22125.584			32.5	22115.543	22090.963			
4.5	22125.482			33.5	22114.921	22089.590	22140.292		
5.5	22125.380			34.5	22114.287	22088.196	22140.090		
6.5	22125.267		22130.939	35.5	22113.622	22086.779	22139.847		
7.5	22125.112		22131.547	36.5	22112.937	22085.357	22139.610		
8.5	22124.984	22118.525	22132.144	37.5	22112.251	22083.921	22139.366		
9.5	22124.769	22117.598		38.5	22111.569	22082.436	22139.052		
10.5	22124.594	22116.628	22133.304	39.5	22110.806	22080.954	22138.711		
11.5	22124.368	22115.663	22133.885	40.5	22110.042	22079.469	22138.421		
12.5	22124.129	22114.667	22134.362	41.5	22109.250	22077.908	22138.077		
13.5	22123.869	22113.622	22134.884	42.5	22108.501	22076.392	22137.757		
14.5	22123.608	22112.628	22135.382	43.5	22107.657	22074.838	22137.383		
15.5	22123.324	22111.569	22135.819	44.5	22106.845	22073.267	22136.975		
16.5	22123.011	22110.520	22136.257	45.5	22106.001	22071.679	22136.577		
17.5	22122.688	22109.428	22136.698	46.5	22105.137	22070.075	22136.139		
18.5	22122.336	22108.320	22137.101	47.5	22104.262	22068.459	22135.687		
19.5	22121.970	22107.190	22137.488	48.5	22103.372	22066.822	22135.240		
20.5	22121.582	22106.040	22137.853	49.5	22102.448	22065.161	22134.755		
21.5	22121.192	22104.907	22138.231	50.5	22101.511	22063.489	22134.277		
22.5	22120.768	22103.717	22138.560	51.5	22100.580	22061.804	22133.711		
23.5	22120.330	22102.525	22138.876	52.5	22099.617	22060.102			
24.5	22119.870	22101.319	22139.170	53.5	22098.635	22058.372			
25.5	22119.408	22100.084	22139.452	54.5	22097.611	22056.635			
26.5	22118.910	22098.851	22139.719	55.5	22096.605	22054.872			
27.5	22118.379	22097.611	22139.969	56.5	22095.545	22053.087			
28.5	22117.854	22096.279	22140.202	57.5	22094.449	22051.284			
29.5	22117.305	22094.984	22140.377	58.5	22093.409				
30.5	22116.733	22093.656	22140.566	59.5	22092.313				
31.5	22116.155	22092.313	22140.715	60.5	22091.212				

 $[23.5]^2 \Pi_{1/2} - [2.2] A^2 \Delta_{3/2}$

J	Qef	Q_{fe}	Pee	P_{ff}	R _{ee}	<i>R</i> _{ff}
1.5	21274.546					
2.5	21274.456				21277.128	
3.5	21274.278				21277.754	21278.455
4.5	21274.144				21278.347	21279.170
5.5	21273.943				21278.918	21279.935
6.5	21273.759		21268.993		21279.484	21280.652
7.5	21273.546		21268.046		21280.055	21281.343
8.5	21273.323		21267.102		21280.598	21281.970
9.5	21273.083		21266.055	21267.352	21281.120	21282.654
10.5	21272.805		21265.078	21266.488	21281.586	21283.273
11.5	21272.520			21265.553	21282.065	21283.916
12.5	21272.246		21262.966	21264.700	21282.554	21284.501
13.5	21271.904		21261.914		21282.989	21285.073
14.5	21271.570		21260.785	21262.788	21283.397	21285.701
15.5	21271.211			21261.791	21283.799	21286.244
16.5	21270.862		21258.566		21284.213	21286.730
17.5	21270.477		21257.449	21259.834	21284.607	21287.237
18.5	21270.054		21256.278	21258.804	21284.953	21287.756
19.5	21269.640	21272.724	21255.111	21257.762	21285.270	
20.5	21269.194		21253.897	21256.678	21285.569	21288.695
21.5	21268.732	21272.110	21252.717	21255.666	21285.880	21289.105
22.5	21268.263	21271.791	21251.472	21254.549	21286.184	21289.549

TABLE 1—Continued

	$[23.5]^2\Pi_{1/2}$ – $[2.2]A^2\Delta_{3/2}$									
J	Q_{ef}	Q_{fe}	P_{ee}	P_{ff}	R_{ee}	R_{ff}				
23.5	21267.769	21271.431	21250.220		21286.457					
24.5	21267.234	21271.089	21248.954	21252.321	21286.691	21290.319				
25.5	21266.721	21270.715	21247.655	21251.184	21286.921	21290.704				
26.5	21266.171	21270.315	21246.378	21249.999		21291.040				
27.5	21265.609	21269.892	21245.076	21248.842	21287.328	21291.371				
28.5	21265.027	21269.485	21243.754	21247.656	21287.504	21291.696				
29.5		21268.993	21242.399			21291.990				
30.5		21268.527	21240.973	21245.203		21292.261				
31.5	21263.160	21268.045	21239.643	21243.968		21292.536				
32.5	21262.502	21267.565	21238.247	21242.728		21292.779				
33.5	21261.860	21267.039	21236.830	21241.456		21293.024				
34.5	21261.159	21266.488	21235.397	21240.152		21293.221				
35.5	21260.437	21265.922	21233.942	21238.866		21293.420				
36.5	21259.734	21265.373	21232.488	21237.493		21293.615				
37.5	21259.007	21264.777	21231.014	21236.159		21293.743				
38.5	21258.219	21264.176	21229.491	21234.828		21293.865				
39.5	21257.449	21263.582	21227.997	21233.425		21293.997				
40.5	21256.678	21262.915		21232.031		21294.096				
41.5	21255.861	21262.254		21230.604		21294.180				
42.5	21255.049	21261.595				21294.251				
43.5	21254.187	21260.910								
44.5										
45.5	21252.472	21259.443								
46.5	21251.580	21258.711								
47.5	21250.667	21257.936								
48.5	21249.763	21257.157								
49.5	21248.842	21256.385								
50.5	21247.859	21255.546								
51.5	21246.884									
52.5	21245.898									

TABLE 2Molecular Constants (in cm⁻¹) of the v = 0 Vibronic States of NiF (All Uncertainties Are 1 σ)

	T_0	B_0	$D_0 \times 10^7$	а	р	$p_J \times 10^5$	γ	$\gamma_D \times 10^5$
$^{2}\Pi_{1/2}$	23 498.3710(36)	.3794255(81)	5.116(34)	0791(39)	14843(30)	.157(20)		
$^{2}\Pi_{3/2}$	22 955.1953(20)	.3791837(22)	5.150(10)					
$\Omega = 3/2^c$	20405.7131(33)	.3786401(35)	3.843(30)					
${}^{2}\Pi_{1/2}{}^{a}$	20281.96(7)	.3844(1)	6.5(5)			-1.2(4)		
$\Pi_{1/2}$	20 106.2940(19)	.3848634(32)	5.070(60)		09487(10)	.4066(38)		
$\Omega = 5/2$	19983.3271(15)	.3795417(13)	4.902(22)					
$\Omega = 3/2$	19718.9750(15)	.3796006(26)	5.182(30)			2634(28)		
$^{2}\Delta_{5/2}$	18 107.3732(12)	.3791866(18)	4.988(10)			.025(2)		
$A^2\Delta_{3/2}$	2 223.5743(15)	.3884270(32)	5.551(24)		00288(10)	0890(54)		
$B^2\Sigma^+$	1 574.1057(20)	.3860004(43)	5.248(14)				14947(14)	.1055(76)
$A^2\Delta_{5/2}$	829.4761(14)	.3885599(23)	5.427(10)					
$^{2}\Sigma$	251.2522(14)	.3900119(15)	5.494(29)				959965(58)	1.82254(43)
		.390016166(37) ^b	$5.58023(93)^b$				$9597221(18)^{b}$	1.79087(32)b
$X^2 \Pi_{3/2}$	0	.3878134(12)	6.088(24)			-2.3160(36)		
		.387816528(28) ^b	6.15136(67) ^b			$-2.31740(33)^{b}$		

^{*a*} From Ref. (16).

^b From Ref. (13).

^c From Ref. (10). $H = 0.135(10) \times 10^{-10} \text{ cm}^{-1}$ and $L = -0.521(30) \times 10^{-15} \text{ cm}^{-1}$.



FIG. 2. Laser-induced dispersed fluorescence of the first lines of the $[18.1]^2 \Delta_{5/2}$ – $[0.83] A^2 \Delta_{5/2}$ transition ($\nu_0 = 17277.897 \text{ cm}^{-1}$) of NiF. The broadband laser line (1 cm⁻¹) is located on the *Q* head of the $[18.1]^2 \Delta_{5/2}$ – $X^2 \Pi_{3/2}$ transition (18 107.373 cm⁻¹).

is proportional to J^3 and is rarely observed in $\Omega = 5/2$ spinorbit components. Nevertheless, there is no doubt that the two states linked by this transition are $\Omega = 5/2$ spin-orbit components for two reasons. First, a dispersed laser-induced fluorescence experiment shows clearly that the first *R* line has J'' = 2.5 (Fig. 2). Second, the upper state is linked to the ground $X^2\Pi_{3/2}$ state by a transition in which *Q* branches are observed. This second transition $[18.1]^2\Delta_{5/2}-X^2\Pi_{3/2}$ ($\nu_o =$ $18107.373 \text{ cm}^{-1}$) is also intense but blended with several other transitions, and lines from the six expected branches have been identified up to J = 56.5. As already noted, the experimental microwave data determined by Tanimoto *et al.* (*13*) have been included in the fitting procedure. In the emission spectrum, a very weak *R* head is observed at 15 900 cm⁻¹ which could be attributed to the forbidden $[18.1]^2\Delta_{5/2}-[2.2]A^2\Delta_{3/2}$ (15 883.800 cm⁻¹) transition, but no signal is observed either in emission or in dispersed fluorescence experiments which could be associated with a transition between the upper $[18.1]^2 \Delta_{5/2}$ state and either of the lower $^2\Sigma$ states.

2. The $[19.7]\Omega = 3/2$ State

This state is linked to all of the 5 lower electronic components by more or less intense transitions, which can be rotationally analyzed. Four transitions have been fitted simultaneously: $[19.7]\Omega = 3/2 - X^2 \Pi_{3/2}$ ($\nu_0 = 19718.975$ cm⁻¹) (Fig. 3), $[19.7]\Omega = 3/2 - [0.25]^2 \Sigma^+ (\nu_0 = 19467.723 \,\mathrm{cm}^{-1}), [19.7]\Omega =$ $3/2-[0.83]A^2\Delta_{5/2}$ ($\nu_0 = 18\,889.499$ cm⁻¹), and [19.7] $\Omega =$ $3/2-[2.2]A^2\Delta_{3/2}$ ($\nu_0 = 17495.401$ cm⁻¹). The fifth transition $[19.7]\Omega = 3/2 - [1.5]B^2 \Sigma^+ (v_0 = 18\,144.869 \text{ cm}^{-1})$ has been studied in a previous paper (8) by dispersed laser-induced fluorescence. This band happens to be completely overlapped by the intense $[18.1]^2 \Delta_{5/2} - X^2 \Pi_{3/2} (v_0 = 18\ 107.373\ \text{cm}^{-1})$ transition, and thus we cannot pick out enough lines to characterize the lower $[1.5]B^2\Sigma^+$ state. The presence or absence of Q branches in the transitions involving a lower ${}^{2}\Delta$ or ${}^{2}\Pi$ spin–orbit component indicates that the upper state must be a $\Omega = 3/2$ state. However, the relative intensities of the bands do not allow us to attribute a symmetry to the upper state. If we assume that the $[19.7]\Omega = 3/2$ state is a ${}^{2}\Delta_{3/2}$ state, it agrees with the relative intensities of the weak $[19.7]\Omega = 3/2 - [0.83]A^2 \Delta_{5/2} (v_0 =$ 18 889.499 cm⁻¹) and the intense $[19.7]\Omega = 3/2 - [2.2]A^2 \Delta_{3/2}$ $(v_0 = 17495.401 \text{ cm}^{-1})$ transitions. However, this hypothesis is inconsistent with intense transitions connecting to ${}^{2}\Sigma^{+}$ states. On the other hand, an upper ${}^{2}\Pi_{3/2}$ spin–orbit component agrees with the presence of transitions to ${}^{2}\Sigma^{+}$ states, but it does not conform to the usual selection rules when we consider transitions to the spin-orbit components of the $A^2\Delta$ state and that the



FIG. 3. The $[19.7]\Omega = 3/2 - X^2 \Pi_{3/2} 0 - 0$ transition of NiF.

 $[19.7]\Omega = 3/2-[2.2]A^2\Delta_{3/2}$ ($\nu_0 = 17495.401 \text{ cm}^{-1}$) transition is one of the three most intense transitions. We note that the same situation occurs in the spectrum of NiCl: a $[21.6]\Omega = 3/2$ state located at 21 608 cm⁻¹ in the energy level diagram (20) is linked to all five low-lying electronic states. About 720 spectral lines have been fitted simultaneously. The presence in the data file of the microwave data for the two lowest states breaks the correlation between the contributions to the fine structure of the upper state and the $X^2\Pi_{3/2}$ state. This enables a reliable determination of the p_J parameter of the upper state. Curiously, it has been necessary to introduce a small lambda-doubling $(p = -0.00288 \text{ cm}^{-1})$ parameter in the lower $[2.2]A^2\Delta_{3/2}$ state to account for the e/f splitting. The relative positions of four of the lower states, $X^2\Pi_{3/2}$, $[0.25]^2\Sigma^+$, $[0.83]A^2\Delta_{5/2}$, and $[2.2]A^2\Delta_{3/2}$, are now very well determined.

3. The $[19.9]\Omega = 5/2$ State

This state is linked to the lower electronic components by two intense transitions: the $[19.9]\Omega = 5/2 - X^2 \Pi_{3/2}$ ($\nu_0 =$ 19983.327 cm⁻¹) and the $[19.9]\Omega = 5/2 - [0.83]A^2 \Delta_{5/2}$ ($v_0 =$ 19153.851 cm⁻¹) transitions. A weak transition, $[19.9]\Omega =$ $5/2-[2.2]A^2\Delta_{3/2}$ ($v_0 = 17759.753$ cm⁻¹), has been already studied in a previous paper (7) on the basis of a laser excitation spectrum, the quality of which is equivalent to the emission spectra recorded by Fourier transform spectroscopy. As a consequence it was possible to include lines collected by the two experimental techniques in a simultaneous fit. As usual the microwave data (13) of the ground state have been added to the fit that includes 670 rotational lines. The $[19.9]\Omega = 5/2$ - $[0.83]A^2\Delta_{5/2}$ ($\nu_0 = 19153.851$ cm⁻¹) transition is the most intense band observed in the emission spectrum. In this transition, it has been possible to observe rotational lines in the Pbranch up to J = 85.5 without any doubling. This absence is consistent with the assumption that the splitting observed in the lines of the $[18.1]^2 \Delta_{5/2} - [0.83] A^2 \Delta_{5/2} (\nu_0 = 17277.897 \text{ cm}^{-1})$ transition arises mainly from a lambda doubling in the upper state. Both the selection rules and the relative intensities of the three bands suggest that the upper state has $\Omega = 5/2$. The hypothesis of a ${}^{2}\Delta_{5/2}$ state is consistent with the fact that as for NiCl (19) there is a ${}^{2}\Delta_{5/2}$ (21 905 cm⁻¹) state that is linked to the lower $X^2 \Pi_{3/2}$, $A^2 \Delta_{5/2}$, and $A^2 \Delta_{3/2}$ states. However, an additional ${}^{2}\Delta_{5/2}$ state has been already identified at 18100 cm⁻¹, while theoretical calculations (12) do not suggest the presence of two ${}^{2}\Delta_{i}$ electronic states in the $17\,000 \text{ cm}^{-1}$ -22000 cm⁻¹ spectral range. The necessity of a small lambda-doubling ($p = -0.00288 \text{ cm}^{-1}$) parameter in the lower $[2.2]A^2\Delta_{3/2}$ state to account for the e/f splitting is also confirmed. We can note that 12 Q lines have been observed in the $[19.9]\Omega = 5/2 - [0.83]A^2 \Delta_{5/2} (v_0 = 19153.851 \text{ cm}^{-1})$ transition and their rapidly decreasing intensity is consistent with a $\Delta \Omega = 0$ transition.

4. The [20.1] $\Pi_{1/2}$ State

Dispersed laser-induced fluorescence showed that this upper state is linked to all the low-lying states except the $[0.83]A^2\Delta_{5/2}$ state. The $[20.1]\Pi_{1/2} - X^2 \Pi_{3/2}$ ($\nu_0 = 20\,106.294 \,\mathrm{cm}^{-1}$) and the $[20.1]\Pi_{1/2}$ - $[2.2]A^2\Delta_{3/2}$ ($\nu_0 = 17\,882.720$ cm⁻¹) transitions are not observed in emission, and the $[20.1]\Pi_{1/2}$ - $[0.25]^2\Sigma^+$ $(\nu_0 = 19855.042 \text{ cm}^{-1})$ transition is intense. The nearby $[20.1]\Pi_{1/2}$ - $[1.5]^{2}\Sigma^{+}(\nu_{o} = 18532.188 \text{ cm}^{-1})$ transition is moderately intense and is characterized by headless rotational structure. This new electronic state has not been observed by Chen et al. (15) when they systematically studied the 17 500–23 000 cm^{-1} spectral region, despite the fact that it is linked to the two lowest electronic states of NiF and that laserinduced experiments should enhance weak transitions. Only the $[20.1]\Pi_{1/2}$ - $[0.25]^2\Sigma^+$ ($\nu_0 = 19855.042 \text{ cm}^{-1}$) transition has been analyzed. Four of the 6 expected branches have been identified; 256 lines including 9 microwave data of the $[0.25]^2 \Sigma^+$ state (13) have been fitted. The most striking result is the fact that the rotational parameter B for the upper state is equal to 0.384863 cm⁻¹, a value which is very similar to those of the 5 lowest states (0.386000 cm⁻¹ < B < 0.390012 cm⁻¹), while the rotational constants of most of the upper states are in the range 0.378555 to 0.379601 cm⁻¹. This is confirmed by the appearance of the $[20.1]\Pi_{1/2} - [1.5]^2 \Sigma^+$ ($\nu_0 = 18532.188 \text{ cm}^{-1}$) transition. No bandhead was identified because the difference between the rotational constants of upper and lower states is very small. We note that two fine structure parameters, p, and p_J , are necessary, suggesting that the upper state is a $\Pi_{1/2}$ component. Chen et al. (15) identified a $\Pi_{3/2}$ electronic state located at 20 282 cm⁻¹, and its B parameter is equal to 0.3844 cm⁻¹. As already noted, such large values for the rotational constants compared to those of the three nearby doublet states suggest that these states could be spin-orbit components of a quartet state. In support of this assignment is the fact that if the $[20.1]\Pi_{1/2}$ state was a doublet, we should observe an intense allowed transition to the $[2.2]A^2\Delta_{3/2}$ state in emission, but this transition can be seen only through the sensitive laser-induced fluorescence experiments.

5. The $[20.4]\Omega = 3/2$ State

In increasing order of energy, the next upper electronic state has been reported by Jin *et al.* (15) who studied the [20.4] $\Omega = 3/2-[0.25]^2\Sigma^+$ ($\nu_0 = 20\,154.481\,\mathrm{cm}^{-1}$) transition. It appears that the upper state of this transition has been already studied in a transition located at 17529.544 cm⁻¹ recorded by laser excitation spectroscopy (10). More than 220 lines have been recorded and accurate constants, including *H* and *L* parameters (caused by perturbations), in the upper state have been determined. In addition low resolution laser-induced fluorescence showed that the [20.4] $\Omega = 3/2$ state is linked to 5 lowlying states, but at that time it had not been possible to include

this set of transitions in the energy level diagram of NiF. Comparison with work by Jin et al. (15) now allows us to identify these transitions. If we consider Fig. 1 of Ref. (10), and adding 251 cm^{-1} to the energy of all the identified states there, we observe that the transitions link the upper $[20.4]\Omega = 3/2$ state to the $[0.25]^2 \Sigma(v = 0)$, the $X^2 \Pi_{3/2}(v = 1)$, the $[0.25]^2 \Sigma(v = 1)$, the $[2.2]^2 \Delta_{3/2}(v = 0)$, and the $[2.2]^2 \Delta_{3/2}(v = 1)$ states. The transition rotationally studied in Ref. (10) is now identified as the $[20.4]\Omega = 3/2 - [2.2]^2 \Delta_{3/2}(v = 1)$ transition. The nature of the upper state is determined by the absence of a Q branch and the observation of the P(J = 2.5) and the R(J = 1.5)lines as first lines of the two branches. In the emission spectrum of NiF it has been possible to identify lines of the Q_{ef} and Q_{fe} branches of the weak $[20.4]\Omega = 3/2 - [0.25]^2 \Sigma(v = 0)$ transition. We have fitted simultaneously all the lines of the two transitions because, as already noted, the resolution of the spectra recorded by Fourier transform spectroscopy or by laser excitation are of the same quality, and microwave data (13) for the $[0.25]^2\Sigma$ state have been also included in the fit. Jin *et al.* (15) suggest that the $[20.4]\Omega = 3/2$ state is the v = 1 vibrational level of the $[19.7]\Omega = 3/2$ state. This is not confirmed by our analysis for two reasons: first, laser-induced fluorescence experiments show clearly that the upper state is linked to the v = 0 and v = 1 levels of the $[2.2]^2 \Delta_{3/2}$ state. This is in agreement with the vibrational constants determined for this state (10). In addition we note the closeness of the rotational parameter $B_1 = 0.38509 \text{ cm}^{-1}$ of the $[2.2]^2 \Delta_{3/2}(v = 1)$ state with the value determined for the $[0.83]^2 \Delta_{5/2}(v = 1)$ state, $B_1 = 0.38513 \text{ cm}^{-1}$, confirming the vibrational assignment of the lower level of the transition located at 17529.544 cm⁻¹. Second, the evolution of the rotational parameter B with vibrational quantum number v is characterized by an α_e parameter close to 0.003 cm^{-1} for all the studied electronic states (15, 16, and Section IV hereafter). Based on the interpretation of Jin *et al.* (15) this value would be only $\alpha_e = 0.001 \text{ cm}^{-1}$ for the $[19.7]\Omega = 3/2$ state. Comparison of the line positions of the $[20.4]\Omega = 3/2 - [0.25]^2 \Sigma^+$ transition collected in Table 1 to the values published by Jin et al. (15) shows that the J-numbering agrees for the lines of the Q_{ef} branch but differs by 3 units in the Q_{fe} branch. Our assignment is also confirmed by microwave data (13). However, the symmetry of the $[20.4]\Omega = 3/2$ state is not easy to determine. All the transitions involving this state are very weak, and no more than 87 lines have been observed in emission for the $[20.4]\Omega = 3/2 - [0.25]^2 \Sigma^+$ transition. The two other studied bands, $[20.4]\Omega = 3/2 - X^2 \Pi_{3/2}$ (15) and $[20.4]\Omega = 3/2 - [2.2]A^2 \Delta_{3/2}(v=1)$ (10), have been recorded by laser spectroscopy. Contradictions appear in the usual selection rules if we consider that the upper $[20.4]\Omega = 3/2$ state is linked to the $X^2 \Pi_{3/2}$, the $[0.25]^2 \Sigma^+$, and the $[2.2] A^2 \Delta_{3/2}$ lower states: an upper $[20.4]^2 \Pi_{3/2}$ state can be linked to the two first states but not to the third, while a $[20.4]^2 \Delta_{3/2}$ state is not expected to be linked to a ${}^{2}\Pi_{3/2}$ state and a ${}^{2}\Sigma^{+}$ state.

6. The $[22.9]^2 \Pi_{3/2}$ State

The $[22.9]^2 \Pi_{3/2}$ state was the first excited state of NiF which was studied by high-resolution spectroscopy (4), and it was initially identified as a ${}^{2}\Delta_{5/2}$ state. Bai and Hilborn (11), however, on the basis of low-resolution laser-induced fluorescence experiments correctly identified this state as a ${}^{2}\Pi_{3/2}$ spin-orbit component. The selection rules are satisfied if we consider the intensities of the bands in the emission spectrum, although the $[22.9]^2 \Pi_{3/2} - X^2 \Pi_{3/2}$ ($\nu_0 = 22955.195 \text{ cm}^{-1}$) transition is not as intense as expected for an allowed transition. The forbidden $[22.9]^2 \Pi_{3/2} - [2.2] A^2 \Delta_{3/2}$ ($\nu_0 = 20731.62 \text{ cm}^{-1}$) transition is only seen in laser-induced fluorescence experiments. The transition located at 22 703.943 cm^{-1} has been identified (9) as the $[22.9]^2 \Pi_{3/2}$ - $[0.25]^2 \Sigma^+$ transition and it allowed us to determine the very large spin-rotation parameter of the $[0.25]^2 \Sigma^+$ state. The accuracy of the parameters was good enough to allow Tanimoto et al. (13) to identify the microwave lines of NiF on the basis of a calculated spectrum.

This transition is too weak in the emission spectrum to be analyzed. The line positions determined by dispersed laser-induced fluorescence are not accurate enough to be fitted along with the data collected with Fourier transform spectroscopy, and as a consequence the 540 lines included in the data file belong to the $[22.9]^2 \Pi_{3/2}$ – $[1.5]B^2 \Sigma^+$ (21 381.090 cm⁻¹) and the $[22.9]^2 \Pi_{3/2}$ – $[0.83]A^2 \Delta_{5/2}$ (22 125.719 cm⁻¹) transitions. No fine structure parameters were needed to describe the $[22.9]^2 \Pi_{3/2}$ state.

7. The $[23.5]^2 \Pi_{1/2}$ State

This state can be identified as the $\Omega = 1/2$ spin-orbit component of a ${}^{2}\Pi$ state associated with the $[22.9]^{2}\Pi_{3/2}$ state to form an inverted ${}^{2}\Pi_{i}$ state. It is linked to the $[2.2]A^{2}\Delta_{3/2}$ state by an intense transition (21274.797 cm⁻¹). A weaker transition $[23.5]^2 \Pi_{1/2} - [1.5] B^2 \Sigma^+$ (21 924.265 cm⁻¹) is observed but transitions to the two lowest states are very faint except when laser-enhanced. As expected, no transition is observed in the emission spectrum or in fluorescence experiments connecting to the $[0.83]A^2\Delta_{5/2}$ state. The $[23.5]^2\Pi_{1/2}$ - $[2.2]A^2\Delta_{3/2}$ transition is so intense that all 6 possible branches were seen. The Q branches can be followed up to J = 52.5. We noted previously that a fine structure splitting was observed in the lower [2.2] $A^2 \Delta_{3/2}$ state. To break the strong correlation between fine structure parameters of the two states, we constrained the constants of the lower state to the values derived from the study of the bands linked to the upper $[19.9]\Omega = 5/2$ state. In the $[19.9]\Omega = 5/2 - [2.2]A^2 \Delta_{3/2}$ ($\nu_0 = 17759.753 \text{ cm}^{-1}$) transition no lambda doubling was seen in the excited state so the A-doubling of the $[2.2]A^2\Delta_{3/2}$ state was well determined. The presence of R, P, and Q branches allowed us to form combination differences, and a residual constant splitting was observed for the *e* and *f* levels of the upper state. Thus, a global fit of the

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TABLE 3 Observed Line Positions (in cm⁻¹) for the $[18.1]^2 \Delta_{5/2}$ -[0.83] $A^2 \Delta_{5/2}$ and the $[19.9]\Omega = 5/2$ -[0.83] $A^2 \Delta_{5/2}$ Transitions of ⁵⁸NiF (1-1), (2-2) and ⁶⁰NiF (0-0)

		$[18.1]^2 \Delta_{5/2}$	$[0.83]A^2\Delta_{5/2}$			$[19.9]\Omega = 5/2$	$-[0.83]A^2\Delta_{5/2}$	
	(1-	-1)	(2-	-2)	(1-	-1)	(2-	-2)
J	Р	R	Р	R	Р	R	Р	R
3.5	17278.478				19153.070			
4.5	17277.624				19152.216			
5.5	17276.759				19151.367			
6.5	17275.904				19150.507			
7.5	17275.027				19149.624			
8.5	17274.112				19148.729			
9.5	17273.186				19147.816			
10.5	17272.248		17276.676		19146.889		19149.807	
11.5	17271.300		17275.722		19145.948		19148.870	
12.5	17270.330		17274.757		19144.966		19147.902	
13.5	17269.321		17273.787		19143.966		19146.957	
14.5			17272.794		10111010		19145.948	
15.5	17267.286		17271.769		19141.943		19144.966	
16.5	17266.227				19140.916		19143.966	
17.5	17265.163		17269.679		19139.866		19142.916	
18.5	17264.083		17268.620				19141.847	
19.5	17262.985		17267.540	12202 2//	10126 502		19140.820	
20.5	1/261.8/2	17000 700	1/266.453	1/29/./66	19136.583		19139.715	
21.5	17260.719	17293.788	17265.329	17298.134	19135.473		19138.619	
22.5	17259.561	17294.112	1/264.18/	17298.488	19134.345		19137.505	
23.5	17258.398	17294.462	17263.051	17298.816	19133.199		19136.372	
24.5	17257.218	17294.761	17261.872	17299.148	19132.035		19135.226	10170 046
25.5	17256.011	17295.053	1/260.719	17299.448	19130.856		19134.062	19172.846
26.5	17254.791	17295.333	17259.512	17299.733		10170 407	19132.875	19173.146
27.5	17253.552	17295.587		17299.993		19170.496	19131.687	19173.420
28.5	17252.283	17295.829	17055 704	17300.253		19170.766	19130.455	19173.688
29.5	17251.026	17296.058	17255.796	17300.491	10104 (51	19171.008	19129.226	19173.949
30.5	17249.711	17296.249	17254.544	17300.704	19124.651	19171.231	19127.989	19174.190
31.5	1/248.40/	1/296.433	1/253.254	1/300.895	19123.363	19171.441	19126.729	19174.418
32.5	17247.081	17296.586	17251.952	17301.079	19122.057	19171.019	19125.445	19174.027
33.5	17245.740	1/296./32	1/250.646	1/301.263	19120.747	19171.802	19124.153	19174.810
54.5 25.5	17244.372	17290.839	17249.512	17301.408	19119.410	19171.935	19122.845	19174.900
33.3 26.5	17243.005	1/290.975	17247.938	17201.664	19116.075	19172.099	19121.525	19175.110
27.5	17241.009	17297.075	17240.397	17301.004	10115 227	19172.231	19120.170	19175.247
205	17240.200	17297.139	17243.222	1/501./44	19113.327	19172.552	19116.629	19175.504
20.5	17230.709		17245.627		19113.920	19172.437	19117.439	19175.501
39.5 40.5	17237.323		17242.410		19112.318	19172.301	19110.002	
40.5	17233.001		17240.980		10100 623		19114.040	
41.5	17232 807		17239.550		19109.023		19115.231	
42.5	17231 377		17236.600		19106.102		19111.797	
43.5	17220.850		17235 108		19105 212		10108 870	
44.5	17229.830		17233 581		19103.212		19107 300	
45.5	17226.303		17232.068		19102.176		19107.390	
40.5	17225.166		17230 555		19102.170		19104 372	
48.5	17223.570		17228 987		19099.070		19102 820	
49.5	17223.570		17220.207		17077.070		17102.020	
50.5	17220.337		17225 822					
51.5	17218 699		17224 233					
52.5	17217 048		17222.610					
53.5	17215.369		1,222.010		19091 070			
54.5	17213 677		17219 328		19089 422			
55.5	17211.977		17217.670		19087.751			
56.5	17210.257		17215.998		19086 080			
20.2	1/210.207		1,213.770		17000.000			

	$[18.1]^2 \Delta_{5/2}$ - $[0.83] A^2 \Delta_{5/2}$					$[19.9]\Omega = 5/2 - [0.83]A^2 \Delta_{5/2}$			
		(1-1)		(2–2)		(1-1)		(2–2)	
J	I	R 1	P R			Р	R P	P R	
57.5 58.5 59.5 60.5 61.5 62.5 63.5 64.5 65.5 66.5 67.5	1720 1720	8.520 6.774	17210 17209 17207 17205 17203 17202 17200	.886 .145 .387 .648 .864 .080 .280	190 190 190 190 190 190 190 190 190 190)84.386)82.678)80.956)79.226)77.472)75.705)73.924)72.125)70.312)68.481)66.636			
	$[18.1]^2 \Delta_{5/}$	$2-[0.83]A^2\Delta_{5/2}$	[19.9]Ω =	$5/2 - [0.83]A^2 \Delta_{5/2}$		$[18.1]^2 \Delta_{5/2}$	$[0.83]A^2\Delta_{5/2}$	$[19.9]\Omega = 5/2 -$	$[0.83]A^2\Delta_{5/2}$
		60	NiF (0-0)				⁶⁰ N	iF (0–0)	
J	Р	R	Р	R	J	Р	R	Р	R
7.5 8.5 9.5 10.5 11.5 12.5 13.5 14.5 15.5 16.5 17.5 18.5 20.5 21.5 22.5 24.5 22.5 24.5 26.5 27.5 28.5 29.5	17266.911 17265.908 17264.871 17263.846 17262.781 17260.620 17259.512 17258.398 17257.218 17256.071 17254.891 17253.711 17252.476 17251.226 17249.976 17248.706 17247.419	17284.832 17285.400 17285.924 17286.447 17286.954 17287.423 17287.903 17288.344 17288.780 17289.177 17289.557 17289.948 17290.290 17290.616 17290.935 17291.228 17291.508 17291.785 17292.015 17292.215	19142.916 19141.943 19140.916 19139.866 19138.829 19137.784 19136.706 19135.605 19134.482 19133.350 19132.194 19131.025 19129.843 19128.646 19127.427 19126.194 19124.943 19123.674	19159.654 19160.247 19160.829 19161.399 19161.941 19162.492 19163.985 19164.414 19164.857 19165.273 19165.693 19166.432 19166.432 19166.432 19166.802 19167.126 19167.126 19167.725 19168.012 19168.254	$\begin{array}{r} 44.5\\ 45.5\\ 46.5\\ 47.5\\ 48.5\\ 49.5\\ 50.5\\ 51.5\\ 52.5\\ 53.5\\ 54.5\\ 55.5\\ 56.5\\ 57.5\\ 58.5\\ 59.5\\ 60.5\\ 61.5\\ 62.5\\ 63.5\\ 64.5\\ 65.5\\ 66.5\\ \end{array}$	17225.967 17224.392 17222.810 17219.591 17217.960 17216.302 17214.644 17212.951 17211.252 17209.531 17207.799 17206.035 17204.278 17202.500 17200.684 17198.873 17197.043 17195.219 17193.315 17191.472 17189.555		19102.610 19101.071 19099.518 19097.957 19096.377 19094.774 19093.162 19091.536 19088.235 19088.235 19084.856 19083.148 19081.422 19079.687 19077.929 19076.157 19074.381 19072.573 19070.764 19068.943 19067.084 19065.230	
30.5 31.5 32.5 33.5 34.5 35.5 36.5 37.5 38.5 39.5 40.5 41.5 42.5 43.5	17246.113 17244.773 17243.460 17242.093 17240.718 17239.329 17237.899 17236.476 17235.004 17233.553 17232.068 17230.555 17229.049 17227.515	17292.771 17292.937 17293.086 17293.207	19122.395 19121.085 19119.765 19118.432 19117.080 19115.715 19114.308 19112.906 19111.454 19110.034 19108.582 19107.112 19105.623 19104.130	19168.944 19169.455 19169.601 19169.743 19169.817 19169.926	67.5 68.5 69.5 70.5 71.5 72.5 73.5 74.5 75.5 76.5 77.5 78.5 79.5 80.5			19063.362 19061.463 19059.564 19057.658 19055.731 19053.783 19051.834 19049.849 19047.863 19045.844 19043.837 19041.820 19039.775 19037.715	

 TABLE 3—Continued

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TABLE 4Origins of the 1–1, 2–2 Bands of ⁵⁸NiF and of the 0–0 Bands forthe $[18.1]^2 \Delta_{5/2}$ – $[0.83]A^2 \Delta_{5/2}$ and the $[19.9]\Omega = 5/2$ – $[0.83]A^2 \Delta_{5/2}$ Transitions (All Uncertainties Are 1σ)

,	·	
Transition	v'-v''	$v_{\rm origin}~({\rm cm}^{-1})$
⁵⁸ NiF		
$[18.1]^2 \Delta_{5/2} - [0.83] A^2 \Delta_{5/2}$	1-1	17281.232(22)
, , ,	2-2	17285.554(26)
$[19.9]\Omega = 5/2 - [0.83]A^2 \Delta_{5/2}$	1-1	19155.820(20)
	2-2	19158.654(23)
⁶⁰ NiF		
$[18.1]^2 \Delta_{5/2} - [0.83] A^2 \Delta_{5/2}$	0–0	17277.868(25)
$[19.9]\Omega = 5/2 - [0.83]A^2 \Delta_{5/2}$	0–0	19153.824(23)

lines was unsatisfactory unless we added a phenomenological constant parameter $a = -0.0791 \text{ cm}^{-1}$ to $T_0 (T_0 \pm a)$ to allow the *e* and *f* levels of the upper $[23.5]^2 \Pi_{1/2}$ state to have slightly different origins.

IV. STUDY OF SOME VIBRATIONAL AND ISOTOPOMERIC BANDS

In addition to the study of 0–0 bands of the main ⁵⁸NiF isotopomer, it has been possible to identify some 1–1 and 2–2 bands and two 0–0 bands of the ⁶⁰NiF isotopomer. In each case the [0.83] $A^2\Delta_{5/2}$ state is common to the studied transitions. The bands are generally weak and as a consequence the derived parameters are not very accurate, especially *D*. The experimental data are listed in Table 3, the origins of the bands in Table 4, and the derived parameters in Table 5. For the upper states the rotational parameters are in agreement with those determined by Jin *et al.* (*16*).

TABLE 5

Molecular Constants (in cm⁻¹) for the $[19.9]\Omega = 5/2$, $[18.1]^2 \Delta_{5/2}$, and $[0.83]A^2 \Delta_{3/2}$ States for v = 0, 1, and 2 and Derived Equilibrium Constants (All Uncertainties are 1σ) for NiF

	v	$B_{ m v}$	$D_{\rm v} \times 10^{-7}$	B_e	α_e
$[19.9]\Omega = 5/2$	2	0.373692(60)	5.40(25)	0.380966(80)	0.002925(65)
	1	0.376503(54)	4.85(23)		
	0	0.3795417(13)	4.902(22)		
	0^a	0.376399(11)	4.87(11)		
$[18.1]^2 \Delta_{5/2}$	2	0.373258(58)	4.92(20)	0.380632(80)	0.002964(64)
	1	0.376111(55)	4.85(22)		
	0	0.3791866(18)	4.988(10)		
	0^a	0.376042(10)	4.95(10)		
$[0.83]A^2\Delta_{3/2}$	2	0.381948(55)	5.40(25)	0.390172(95)	0.003306(77)
	1	0.385130(54)	5.30(21)		
	0	0.3885599(23)	5.427(10)		
	0^a	0.385326(10)	5.35(10)		

^{*a*} Constants for v = 0 of ⁶⁰NiF isotopomer.

V. DISCUSSION

The object of our discussion is not to provide an interpretation of the electronic structure of NiF, but to point out some characteristic features and problems, which will have to be solved.

Six new electronic transitions have been analyzed in our work. These analyses confirmed the previous (4-10) description of the 5 electronic states lying in the first 2000 cm^{-1} in the energy level diagram. If we compare the 2 isovalent molecules NiF and NiCl (17, 19, 20), the same low-lying electronic states are observed and the ground state is, in both cases, a ${}^{2}\Pi_{3/2}$ spin-orbit component, but the order of the other states is somewhat different. In the present work, as well as for NiCl (20), we took advantage of the accurate data provided by Tanimoto et al. (13) for the 2 lowest states $(X^2 \Pi_{3/2} \text{ and } [0.25]^2 \Sigma^+)$ to improve the quality of the parameters. Rather than fixing the parameters of these states to the values determined by Tanimoto et al. (13) we included the original microwave data in the fits. This results in some small differences (Table 1) between our constants and those of Tanimoto et al. (13). These discrepancies are real because in a first step we fitted the microwave data alone and the derived parameters lay within one standard deviation of the published values. However, for example, if we consider the $[19.7]\Omega = 3/2 - [0.25]^2 \Sigma^+$ ($\nu_0 = 19467.723 \text{ cm}^{-1}$) transition, we observe a difference of 3×10^{-7} cm⁻¹ in γ_D between our results and those reported in Ref. (13). This difference results in a small change in the calculated J = 17.5-16.5 transition, which is the highest J value observed in the microwave experiments (13). However, the highest J transition observed in the present work is J = 75.5, for which the line positions are shifted by 0.13 cm^{-1} , which is about 10 times larger than the error in our measurements. Correlation between the parameters may also be responsible for part of the shifts in the parameters. Nevertheless, the presence of the microwave data in the fits resulted in a significant improvement in the accuracy of the parameters when compared to the previous studies (4-10). For example, the fine structure of the $[2.2]A^2\Delta_{3/2}$ state is determined for the first time. The determination of a Λ -doubling parameter p is not expected in a ${}^{2}\Delta_{3/2}$ spin-orbit component but rather for a ${}^{2}\Pi_{1/2}$ state (21). This parameter is 30 to 50 times smaller than any of the other values of p determined for other states of NiF. Taking into account the selection rules, it appears to be difficult to change the assignment of the symmetry of this state. The origin of this p parameter is thus likely to be in interactions with close-lying doublet or quartet states (12).

Our combined fits showed some additional unexpected parameters that appear because of perturbations. For example, a splitting of the lines proportional to J^3 is observed in the *P* and *R* branches of the $[18.1]^2 \Delta_{5/2}$ – $[0.83]A^2 \Delta_{5/2}$ ($\nu_0 = 17277.897 \text{ cm}^{-1}$) transition that can be attributed to the upper $[18.1]^2 \Delta_{5/2}$ state. A phenomenological constant, *a*, was needed in the upper $[23.5]^2 \Pi_{1/2}$ state to allow the *e* and *f* levels to have a different origin. We observe that the $[18.1]^2 \Delta_{5/2}$ and $[23.5]^2 \Pi_{1/2}$ states are not located in congested parts of the

energy level diagram, but unobserved close-lying electronic states are possible.

The 19 700–20 500 cm⁻¹ range in the energy level diagram includes 5 spin–orbit components. In some cases it has been possible to assign the symmetry and/or the multiplicity of the states. Two types of evidence were used for these assignments: the selection rules and the size of the rotational constant. Considering the theoretical predictions of the states given by Carette *et al.* (*12*), we expect to find four states, ${}^{2}\Sigma^{+}$, ${}^{4}\Pi$, ${}^{2}\Pi$, and ${}^{4}\Sigma^{+}$ states in the range 18 900–21 500 cm⁻¹. In addition, two spin–orbit components of a ${}^{2}\Delta_{i}$ state are calculated to be at 17 464 cm⁻¹ and 17 946 cm⁻¹. The lower energy spin component can be assigned as the $[18.1]^{2}\Delta_{5/2}$ state, but the upper spin component (${}^{2}\Delta_{3/2}$) is not yet observed. In the absence of a second predicted ${}^{2}\Delta_{i}$ state, it appears difficult to identify the $[19.9]\Omega = 5/2$ state as a ${}^{2}\Delta_{5/2}$ state despite the fact that transitions involving this state fulfill the expected selections rules.

No confusion is possible with v' > 0 vibrational levels of any excited state because vibrational constants have been estimated for the $[18.1]^2 \Delta_{5/2}$, $[19.7]\Omega = 3/2$ and $[19.9]\Omega = 5/2$ electronic states by Focsa et al. (10). Jin et al. (15) suggested that the $[20.4]\Omega = 3/2$ state is the v' = 1 vibrational level of the $[19.7]\Omega = 3/2$ state. Such an assignment, however, is not possible because the $[19.7]\Omega = 3/2$ state has $\omega'_{e} = 642.08 \text{ cm}^{-1}$ (10) while the measured interval is 687.6 cm⁻¹. Jin *et al.* (15) suggested that the difference between the two intervals $(\omega_e = 642.08 \text{ cm}^{-1} (10) \text{ and their value}, \omega_e = 687.6 \text{ cm}^{-1})$ is due to a repulsive interaction of two close-lying states. This is in contradiction with our spectrum, recorded by laser excitation spectroscopy, which finds the 1–1 bandhead of the $[19.7]\Omega =$ $3/2-[2.2]A^2\Delta_{3/2}$ transition at 17 509.02 cm⁻¹, which is the expected position in the absence of any interaction. This could explain the fact that the expected and calculated shifts between the two isotopomers, ⁵⁸NiF and ⁶⁰NiF, are not in agreement in Jin et al. (15).

In a recent paper Jin *et al.* (*16*) published an extensive vibrational analysis of most of the excited states of NiF. We note that they do not observe the $[20.1]\Pi_{1/2}$ state. The vibrational constants are not in very good agreement with the previous values (*10*). The vibrational constants, ω_e , are in some cases 15 cm⁻¹ larger than those in Ref. (*10*), in which the vibrational structure has been determined from experimental data that includes bandheads from 5 upper states and 3 lower states. The discrepancies in the values originate primarily because Focsa *et al.* (*10*) used heads while Jin *et al.* (*16*) used origins to determine the vibrational parameters.

Although it is not a general rule, for some molecules such as GeF and InF (22), when states of different multiplicity are close-lying, their rotational constants are significantly different. In the case of NiF, Table 1 shows that rotational constants of two upper states are close to 0.385 cm⁻¹, while for all other states the *B* values are smaller than 0.379 cm⁻¹. This difference can be taken as evidence that both quartet and doublets states are present in the 19 700–20 500 cm⁻¹ energy range.

VI. CONCLUSION

The NiF emission was produced by a DC discharge of heated NiF₂ powder in a 1-meter-long alumina tube. Comparison with microwave discharge emission (17) shows that rotational lines are wider (23) but fewer argon atomic lines are emitted. When combined with a Fourier transform spectrometer, this source is very efficient thanks to its stability and longevity. The quality of the recorded spectra provided an improved set of parameters for most of the known states of NiF. The use of pure rotational data (13), when possible, was of great help in breaking the correlation between parameters of the upper and lower states. The low-lying doublet states are now very well determined and can be used to identify other new electronic states. This should be of great help for further studies in spectral regions in which laser experiments are difficult to perform such as the UV work of Gopal *et al.* (24).

The presence of excited states with significantly different rotational constants suggests that both doublet and quartet states are involved in the observed transitions. Up to now the nature of the excited states of NiF is not well determined, and further theoretical and experimental work is needed to understand the energy level pattern. Recent studies on the isovalent NiCl molecule (17, 19, 20, 25) should allow useful comparisons.

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